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Changes in northern hemisphere temperature variability shaped by regional warming patterns

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Global warming involves changes not only in the mean atmospheric temperature, but also in its variability and extremes. Here we use a feature-tracking technique to investigate the dynamical contribution to temperature anomalies in the northern hemisphere in CMIP5 climate-change simulations. We develop a simple theory to explain how temperature variance and skewness changes are generated dynamically from mean temperature gradient changes, and demonstrate the crucial role of regional warming patterns in shaping the distinct response of cold and warm anomalies. We also show that skewness changes must be taken into account, in addition to variance changes, in order to correctly capture the projected temperature variability response. These changes in variability may impact humans, agriculture and animals, as they experience not only a warmer mean climate, but also a new likelihood of temperature anomalies within that climate.

Atmospheric temperature is often described as the mean temperature and its variance (Fig. 1), the latter measuring the strength of fluctuations around the average temperature. Assuming a Gaussian distribution of the underlying Probability Density Function (PDF), the mean and variance capture the essence of the observed temperature variability¹⁻³. However, there is increasing evidence

that temperature PDFs are characterized by nonzero skewness, which implies a non-Gaussian temperature distribution^{4–12}. Skewness, defined as $S = \overline{T'^3} / (\overline{T'^2})^{\frac{3}{2}}$ (where bar signifies a seasonally-varying time average and T' denotes the temperature anomalies) measures the asymmetry between the positive and negative tails of the PDF, and is positive in regions where large warm anomalies are more frequent, and negative in regions where large cold anomalies are more frequent. Therefore, the spatial structure of skewness (Fig. 2) has important implications for regional climate and weather^{5, 7, 9, 13–19}.

Under global warming, the spatial distribution of the mean temperature and its variability are projected to change, leading to significant climate impacts^{20, 21}. Many studies have examined the mean temperature response as well as its variance and extremes using climate change simulations^{1, 3, 5, 8, 15, 18, 22–24}. Although several studies have highlighted the importance of studying the response of temperature skewness to climate change^{6, 10, 11, 13, 15, 18, 21, 25–29}, changes in extreme cold and warm temperature events are still typically attributed to changes in the mean and variance alone (e.g., Figure 1.8 in the 5th IPCC report³⁰). Here we take a dynamical approach to study temperature variability in the Northern Hemisphere (NH), employing a Lagrangian feature-tracking algorithm to identify and track temperature anomalies. This allows us to directly evaluate the separate changes in the intensity of cold and warm anomalies.

To concentrate on the dynamical origin of the temperature changes, we examine the 850hPa level rather than the surface anomalies. The 850hPa level is a widely-used near-surface level^{3, 10, 24} as it is typically above the boundary layer, but still highly correlated with the surface during strong

cold and warm temperature events (Extended Data Fig. 1). The relation to surface temperature changes is discussed in the final section.

Projected temperature changes

We first present the Eulerian temperature variability changes for winter (DJF) and summer (JJA), for the ensemble-averaged CMIP5 response for the mean temperature, variance and skewness (see Methods). The 850 hPa wintertime mean temperature exhibits an excess warming in the high-latitude NH (Fig. 1c), implying a weakening of the meridional (north-south) temperature gradient^{3,22,24} (Extended Data Fig. 4). In addition, the relatively colder continental land masses warm more rapidly than the oceans, so the zonal (east-west) temperature gradients also decrease over most of the NH. To first order, the general decrease of the temperature gradients in winter leads to a decrease in the temperature variance, since by advection arguments a weaker gradient implies weaker anomalies^{3,22,24}. However, some regions such as the Mediterranean and the Iberian Peninsula exhibit a slight variance increase (Fig. 1d). In summer, the already warmer continents warm more rapidly than the oceans (Fig. 1g), such that the zonal temperature gradients increase²⁴ (Extended Data Fig. 4). There is less agreement between the models regarding the sign of the variance change in summer, but a robust increase in variance is projected over central Europe^{5,31} (Fig. 1h).

The temperature skewness changes provide further important information. For example, the generally positive skewness change over most of the NH during winter (Fig. 2c) implies, together

with the variance decrease, that it is the cold anomalies that weaken the most. In summer, the increase in variance over central Europe is accompanied by a negative skewness change in the southern regions, and a slight positive skewness change in the northeastern regions (Fig. 2g). Hence, it is mainly the cold anomalies that intensify in southern Europe, and mainly the warm anomalies that intensify in northeastern Europe.

Lagrangian temperature variability

Lagrangian feature-tracking is a commonly-applied technique in the field of stormtracks, used for studying cyclones and anticyclones³², but is applied here for temperature anomalies instead. The approach was recently used by the authors to study temperature variability and its projected changes in the Southern Hemisphere (SH)²⁸. In the SH, the temperature skewness is characterized by a band of positive skewness on the poleward side of the midlatitude storm tracks, and a band of negative skewness on the equatorward side. In the NH, the existence of large continents complicates this picture, and high spatial heterogeneity in skewness is observed rather than a simple dipole structure.

The feature-tracking algorithm is applied separately for the 850 hPa cold and warm temperature anomalies, and the spatial distribution of their mean intensities then constructed (Fig. 3). This allows the temperature variance to be decomposed into the separate contributions from cold (Fig. 3a,e) and warm anomalies (Fig. 3b,f). While the intensity (in absolute value) of both types of anomalies generally maximizes over continents, notable differences are observed, with some

79 regions experiencing stronger cold anomalies and others stronger warm anomalies.

80 The decomposition into cold and warm temperature anomalies allows us to directly evaluate
81 the distinct contribution of each to the projected regional changes. For example, the projected
82 winter changes in the mean intensity of cold (Fig. 3c) and warm (Fig. 3d) anomalies clearly show
83 that while both types of anomalies are projected to decrease in magnitude, the cold anomalies
84 weaken more. In addition, a limited strengthening of both is found over some regions in central and
85 southern Europe (although less model agreement is found there). In summer, the projected changes
86 in the intensity of both cold and warm anomalies show robust increases over central Europe, with
87 cold anomalies increasing to the northwest and extending towards the British Isles and the Atlantic
88 Ocean, and warm anomalies increasing mainly in the northeastern parts.

89 Assuming small asymmetry between the cold and warm anomalies, their mean intensities
90 can be used to estimate the temperature variance and skewness as

$$\sigma^2 \approx \left(\frac{1}{2}(T_w + T_c) \right)^2, \quad (1)$$

and

$$S \approx \frac{T_w - T_c}{\frac{1}{2}(T_w + T_c)} \quad (2)$$

91 (see section 2 in the Supplementary Information for the derivation of this approximation), where
92 $T_c = |T'_c|$ and $T_w = |T'_w|$ denote the average absolute intensity of the cold and warm temperature
93 anomalies, respectively. The approximate variance (1) measures the power of the average intensity,

while the approximate skewness (2) measures the normalized asymmetry between the cold and the warm anomalies (and equals zero if $T_c = T_w$). The approximate skewness, estimated using the tracking statistics of the mean intensities, recovers well the temperature skewness (Fig. 2b,f) and its projected changes (Fig. 2d,h), albeit with somewhat smaller values.

The dynamical origin of the changes in cold and warm temperature anomalies is demonstrated next for two regional examples, and then generalized using a simple model.

Regional examples

We first examine a region in east-central North America (black box in Fig. 1-3, panels a-d), for which the ensemble-mean historical temperature PDF is negatively skewed in winter (Fig. 4a, solid line). The tracking results indeed show that the intensities of cold anomalies that pass through this region in the historical simulations (Fig. 4b, blue solid lines) reach larger magnitudes than the warm anomalies (Fig. 4c, red solid lines) (see Methods). The projected temperature variability changes in this region are representative of the changes over most of the NH during winter, and exhibit a decrease in variance and a positive skewness change (Fig. 4a, dashed line). Consistent with this, both the cold and warm anomalies that cross the region weaken in the projected simulations (blue and red dashed lines in Figs. 4b and 4c, respectively), but the cold anomalies weaken substantially more such that there is a positive skewness change. There is also a robust agreement between models regarding the sign of these projected changes (Fig. 4d-g).

A composite analysis of strong cold and warm anomalies that pass through the region (see

Methods) provides further insight regarding the dynamical origin of these changes. Figs. 4h and 4i show the projected anomalous circulation associated with strong cold and warm events, respectively, overlaid with the projected background temperature change. For strong cold events (Fig. 4h), the anomalous northerly flow entering the region experiences a warmer background temperature to the north, hence the air is advected over a region with reduced meridional temperature gradient (Extended Data Fig. 4), and the cold anomalies weaken. A smaller decrease occurs for the anomalous southerly flow entering the region during the warm events (Fig. 4i), resulting in a smaller reduction of the warm anomalies.

Without considering the skewness changes, one overestimates the risk ratio (calculated as the ratio of the Cumulative Density Functions between historical and projected temperatures) of low temperature extremes (dashed blue line in Fig. 4j), and underestimates the risk ratio of high temperature extremes (dashed red line in Fig. 4k). For example, in this region, the risk ratio of reaching a temperature below 250K is doubled (from 0.06 to 0.12) (Fig. 4j), while the risk ratio of exceeding a temperature of 285K is underestimated by about 60% (from 3.9 to 1.6) (Fig. 4k), if skewness changes are neglected. Repeating this analysis for kurtosis shows much smaller changes (Extended Data Fig. 5).

Over central Europe during summer (black box in Fig. 1-3, panels e-h), the ensemble mean historical temperature PDF is positively skewed (Fig. 5a, solid line). Variance increases while skewness slightly decreases in the projected simulations (Figs. 5a-g), although there is greater model spread in the sign of the projected skewness change (Figs. 5g). The projected background

temperature increase is maximized around southern Europe and the northern Mediterranean region, and the meridional temperature gradient therefore increases over central Europe (Extended Data Fig. 4). Hence, during strong cold events, the northwesterly flow entering the region (Fig. 5h) experiences a stronger background temperature gradient, and the cold anomalies intensify. Similarly, during strong warm events, the anomalous southerly flow entering central Europe (Fig. 5i) experiences a stronger meridional temperature gradient, albeit somewhat smaller, and the warm temperature anomalies therefore also intensify, but to a lesser extent. Note that the increase in the zonal temperature gradient over central Europe and the west of Iberia (Extended Data Fig. 4) also contributes to the intensification of the warm anomalies. Overall, the skewness changes are relatively small and slightly negative when averaged over central Europe (Fig. 5g).

Neglecting the skewness changes nevertheless results in an underestimation of the extreme cold tail (dashed blue line in Fig. 5j) and an overestimation of the extreme warm tail (dashed red line in Fig. 5k). For example, in this region the risk ratio of reaching a temperature below 275K is almost halved (from 0.06 to 0.03) if one neglects the skewness changes (Fig. 5j), while the risk ratio of exceeding a temperature above 304K is overestimated by about 20% (from 42 to 50) (Fig. 5k).

Dynamical origin of temperature changes

The two regional examples discussed above can be generalized using simple arguments. Given that strong cold and warm temperature anomalies are mostly associated with northerly and southerly

winds, respectively²², we can understand the first-order changes in variance and skewness given the changes in the meridional background temperature gradients as follows. From Taylor's theorem, one can express the cold and warm temperature anomalies arising from horizontal advection as $T'_c = -\eta_N \bar{T}_{Ny}$ and $T'_w = -\eta_S \bar{T}_{Sy}$, respectively. Here, $\eta_N < 0$ is the meridional displacement of the cold anomaly (which is negative since it is coming from the north), and $\eta_S > 0$ is the meridional displacement of the warm anomaly (coming from the south). We further denote \bar{T}_{Ny} as the averaged background temperature gradient experienced by the cold anomaly during its movement from the north, and similarly \bar{T}_{Sy} for the warm anomaly.

It is clear from the expressions above for T'_c and T'_w and (2) for the approximate skewness how a nonzero local temperature skewness can be obtained, $S \approx \frac{|\eta_S \bar{T}_{Sy}| - |\eta_N \bar{T}_{Ny}|}{\frac{1}{2}(|\eta_S \bar{T}_{Sy}| + |\eta_N \bar{T}_{Ny}|)}$, if $|\eta_N \bar{T}_{Ny}| \neq |\eta_S \bar{T}_{Sy}|$. Moreover, if nonuniform changes in the background temperature gradient occur, both the variance and skewness can change locally. Denoting $\Delta \bar{T}_{Ny}$ and $\Delta \bar{T}_{Sy}$ as the changes in the meridional background temperature gradient to the north and south of a region, one finds $\Delta T'_c = -\eta_N \Delta \bar{T}_{Ny}$ for the cold anomalies, and $\Delta T'_w = -\eta_S \Delta \bar{T}_{Sy}$ for the warm anomalies. Here we have assumed for simplicity that η_N and η_S remain the same in the future climate, but the meridional displacements can generally change too (although in the regions we have examined, the changes appear to be small, Extended Data Fig. 6). In the limit of small asymmetry, using (1) and (2) for the approximate variance and skewness (respectively) and the expressions above, we find (see section 3 in the Supplementary Information):

$$\Delta\sigma^2 \approx \sigma^2 \left[\frac{\Delta\bar{T}_{S_y}}{\bar{T}_{S_y}} + \frac{\Delta\bar{T}_{N_y}}{\bar{T}_{N_y}} \right], \quad (3)$$

171 and

$$\Delta S \approx \frac{\Delta\bar{T}_{S_y}}{\bar{T}_{S_y}} - \frac{\Delta\bar{T}_{N_y}}{\bar{T}_{N_y}}. \quad (4)$$

172 Hence, depending on the sign and magnitude of the relative temperature gradient changes to
 173 the north and to the south, the variance and skewness can either increase or decrease. Note that
 174 close to localized temperature gradients (e.g., due to orography or ocean-continent boundaries),
 175 zonal gradients also can be significant in influencing the temperature variability³³. The equations
 176 above can be easily generalized to include zonal gradients by calculating the derivatives in the
 177 direction of largest gradient, which will have a westerly/easterly component in these regions.

178 If the gradient changes both oppose the original temperature gradients (i.e., $\frac{\Delta\bar{T}_{N_y}}{\bar{T}_{N_y}} < 0$ and
 179 $\frac{\Delta\bar{T}_{S_y}}{\bar{T}_{S_y}} < 0$), as is the case for most of the NH during winter, and for the first region examined above,
 180 then (3) predicts a negative variance change. Furthermore, if the relative decrease to the north $\frac{\Delta\bar{T}_{N_y}}{\bar{T}_{N_y}}$
 181 is larger than the relative decrease to the south $\frac{\Delta\bar{T}_{S_y}}{\bar{T}_{S_y}}$, then (4) predicts a positive skewness change.
 182 The actual changes are captured nicely by the simplified equations for east-central North America
 183 during winter, as presented in Figs. 6a and 6b, which show the predicted vs. actual variance and
 184 skewness changes, respectively, across the CMIP5 models. For almost all of the models, the sign
 185 of the variance change agrees with the background temperature gradient decrease (Fig. 6a). The
 186 theory also helps understand some of the model spread, as models that predict a larger background
 187 temperature gradient decrease also show a larger decrease in variance. The skewness changes are

slightly more scattered (Fig. 6b), but the simplified equations generally capture the correct sign of the skewness change and the model spread, with the models that predict a larger relative gradient decrease to the north exhibiting a larger skewness increase than other models.

Following a similar argument, if the gradient changes to the north and south both reinforce the original temperature gradient (i.e., $\frac{\Delta \bar{T}_{Ny}}{\bar{T}_{Ny}} > 0$ and $\frac{\Delta \bar{T}_{Sy}}{\bar{T}_{Sy}} > 0$) (as in the second case examined for central Europe during summer), then from (3) the variance change is positive, while from (4) the skewness change will again depend on the magnitude of the relative gradient changes. The latter explains why a large model spread in skewness change is observed for central Europe during summer, including a disagreement regarding the sign of the change (Fig. 5g), as some models predict large relative gradient changes to the north, while others predict large changes to the south (Fig. 6d). The simplified equations capture this well, including the correct sign of the projected skewness change. There is only a weak correlation between the gradient and the variance increase over central Europe during summer (Fig. 6c). The sign of the change is captured correctly by the simplified equations, but it is clear that the meridional background temperature increase is not the only factor controlling the variance increase. This is probably related to the fact that zonal gradients are also important for this region during summer (Extended Data Fig. 4h), and also because land-surface processes, such as interaction with soil-moisture, become more important during summer^{1,5,34}. Note that for both winter and summer, the weaker correlation found in Fig. 6b and 6c compared to Fig. 6d and 6a, respectively, may also reflect the smaller model spread in these cases (i.e. there is less spread across models to be explained).

Finally, the expressions for the variance and skewness given in (1) and (2) can be used to estimate the intensities of cold and warm temperature anomalies. It is easy to show that (see section 4 in the Supplementary Information):

$$T_c \approx \sigma \left(1 - \frac{S}{2} \right) \quad (5)$$

and

$$T_w \approx \sigma \left(1 + \frac{S}{2} \right). \quad (6)$$

If the actual variance and skewness are used in (5) and (6), then the amplitude of the cold and warm temperature anomalies can be estimated directly and compared with the tracking results. The projected changes in these estimated intensities are shown in Figs. 6e-h, which recover well the intensity changes found using the Lagrangian approach (Fig. 3). For example, these expressions correctly capture the stronger reduction in the intensity of cold anomalies in most of the NH during winter, and also correctly capture the increase of both types of anomalies over central Europe during summer.

This study has examined the variability of lower tropospheric (850 hPa) temperature in order to better isolate the role of large-scale horizontal advection. A basic mechanism for temperature skewness generation by linear advection of nonuniform background temperature gradients is presented, and simple expressions are derived to relate variance and skewness changes to background temperature gradient changes, which describe well the projected model changes.

However, it is well known that processes associated with snow or ice melting and land

cover also influence the surface temperature variability during winter^{18,35–38}. The relevance of our 850 hPa level findings for surface temperature can be examined by inspecting the near-surface (T2m) winter temperature response (Extended Data Fig. 7). Overall, the winter mean and variance changes are similar between the two levels, but there are quite significant differences between the 850 hPa level and the surface temperature skewness changes (compare Extended Data Fig. 7c,f with Fig. 2a,c). The projected winter skewness changes are similar in the midlatitudes, but a negative (rather than positive) skewness change is projected poleward of the 0°C temperature line (Extended Data Fig. 7c,f). The negative skewness change was proposed to be a direct result of snow and sea ice melting¹⁸. However, the origin of the positive midlatitude skewness change had previously been unexplained. During summer, other processes such as soil-moisture interactions are known to be extremely important for surface temperature variability and extremes^{34,35,39–42}. It has also been shown that the correlation between atmospheric circulation and surface temperature variability is weaker in summer compared to winter⁴³. However, the overall structure of the projected 850 hPa summer mean, variance, and skewness changes still resemble well the T2m response (Extended Data Fig. 8) (except in the Arctic). This again points towards a purely dynamical mechanism shaping the temperature variability changes, which does not involve the boundary layer.

The current study therefore provides an important element in understanding midlatitude surface temperature changes, by explaining and quantifying the fundamental role of advection and warming patterns in shaping the variance and skewness changes. These are more cleanly revealed by analyzing the 850 hPa level, where the dynamical contribution can be isolated. Examining the

relative importance of atmospheric circulation and regional land-surface feedbacks in shaping the surface temperature variability response to climate change is left for further study.

Methods

Data

In this study we use the 6-hourly 850 hPa temperature field from 26 CMIP5 models (see model list in Table S1 in the Supplementary Information). All models are forced by the representative concentration pathway 8.5 (RCP8.5) emissions scenario, and the r1i1p1 ensemble member is used⁴⁴. The data covers a period of 19 years in the historical runs (1981–1999), which include both the observed anthropogenic and natural atmospheric forcings, and 19 years in the projected runs (2081–2099), in which the radiative forcing increases by about 8.5 W m^{-2} by year 2100. For each model, the background climatology is defined for every 6-hourly time period as its average over the 19 years, in order to remove both the diurnal and the seasonal cycle. Perturbations are then defined as deviations from the 6-hourly climatology (for the historical and projected simulations separately). The variance and skewness are calculated first for each model separately, and then averaged together to produce the ensemble means. We concentrate on the NH during both the winter (DJF) and summer (JJA) seasons.

To examine the accuracy of the historical CMIP5 data in reproducing the observed temperature variability, we also analyze ERA-I reanalysis data⁴⁵ (Extended Data Fig. 2 and Extended Data Fig. 3). We use the 6-hourly 850 hPa temperature field from the ECMWF ERA-I reanaly-

sis dataset, covering the years 1980-2014, where the background climatology is defined for every 6-hourly time period as its average over the 35 years.

Tracking algorithm

The current study employs the objective spherical feature-tracking algorithm TRACK^{46,47}, which is typically used for cyclone tracking, but is modified here to track temperature anomalies instead. We track the 850 hPa temperature perturbations by subtracting the background state, defined as the 6-hourly climatology (compared with the spatial filtering of the large scale background flow that is usually applied for cyclones). The 6-hourly temperature anomaly field is then reduced to a T42 grid to smooth the data and reduce noise. The positive and negative temperature anomalies are identified as the maxima or minima of the anomaly field, respectively, that exceed a threshold of 0.5 K. The positive and negative centers are then tracked separately every 6 hours. This tracking is performed directly on the sphere, and is achieved by first initializing the maxima or minima into a set of tracks using a nearest neighbour method, and then refining these by performing a constrained minimization of a cost function for track smoothness (formulated in spherical coordinates)⁴⁷. Only features that last for more than two days are retained for the statistical calculations, which includes semi-stationary features as well as the more mobile systems (so that more slowly propagating perturbations like heat waves can be identified too). The spatial statistics of the tracked anomalies are then obtained using adaptive locally defined spherical kernel estimators, which are a form of distance weighted statistical estimator⁴⁸. For example, the mean intensity at a certain grid point is estimated from the intensity of adjacent track points using a decay function (the local spherical kernel estimator), which depends on the distance between the track point and the gridpoint. The

kernel bandwidth, which controls the statistic smoothness, is adapted according to the data density. This approach has the benefit of computing the statistics directly on the sphere which prevents the introduction of biases that often occur for grid box methods. The spatial statistics are computed for each model separately, and then averaged together.

Regional composites

The regional composites of the anomalous velocity associated with strong cold and warm temperature anomalies are constructed using the tracking results of the 850 hPa temperature anomalies. For each model, we first find the intensity of all the cold and warm anomalies that passed through the region, keeping only the maximum value reached inside the region box. We then find, for the cold and warm anomalies separately, the 75th percentile thresholds. The composites of strong cold and warm anomalies are then constructed by averaging only over features whose maximum intensity exceeds the 75th percentile (similar results are obtained when other percentile thresholds are used instead). This is performed for each model separately, and the composites are then averaged together, centered around the middle of the region box, for positive and negative anomalies separately.

The meridional temperature gradients T_{N_y} and T_{S_y} used to estimate the variance and skewness changes given by (3) and (4) (and shown in Figs. 6a-d) are calculated as the linear gradients over four grid points to the north and to the south of the centers of each region box, respectively. They are calculated for the seasonally averaged background temperature and hence are time-independent.

Statistical data analysis

The Eulerian PDFs (presented in Figs. 4a and 5a) are calculated by accumulating all the temperature anomalies (from all models) in a given region, and then adding the multi-model mean temperature for the region. These are compared to the PDFs of intensity of anomalies from the tracking (presented in Figs. 4b,c and 5b,c), calculated by accumulating all the positive and negative features that pass through each region. The PDFs are obtained using a kernel fitting, and the shading denotes the 95% confidence interval, calculated using a two-tailed t-distribution with 26 degrees of freedom ($t_s \approx 2.06$) and multiplying by the standard error of the mean model spread (for each value of the PDF).

Data availability

The datasets analyzed in the current study were obtained from the World Data Center for Climate (WDCC) repository, available at <http://cera-www.dkrz.de/WDCC/ui/>.

Code availability

The feature-tracking algorithm used in this study is available for download at <http://www.nerc-essc.ac.uk/kih/TRACK/Track.html>, by contacting Kevin Hodges (k.i.hodges@reading.ac.uk).

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Author Contributions T.T.B., K.H., B.J.H. and T.G.S. designed the study and wrote the paper; T.T.B. performed the data analyses.

Competing Interests The authors declare that they have no competing financial interests.

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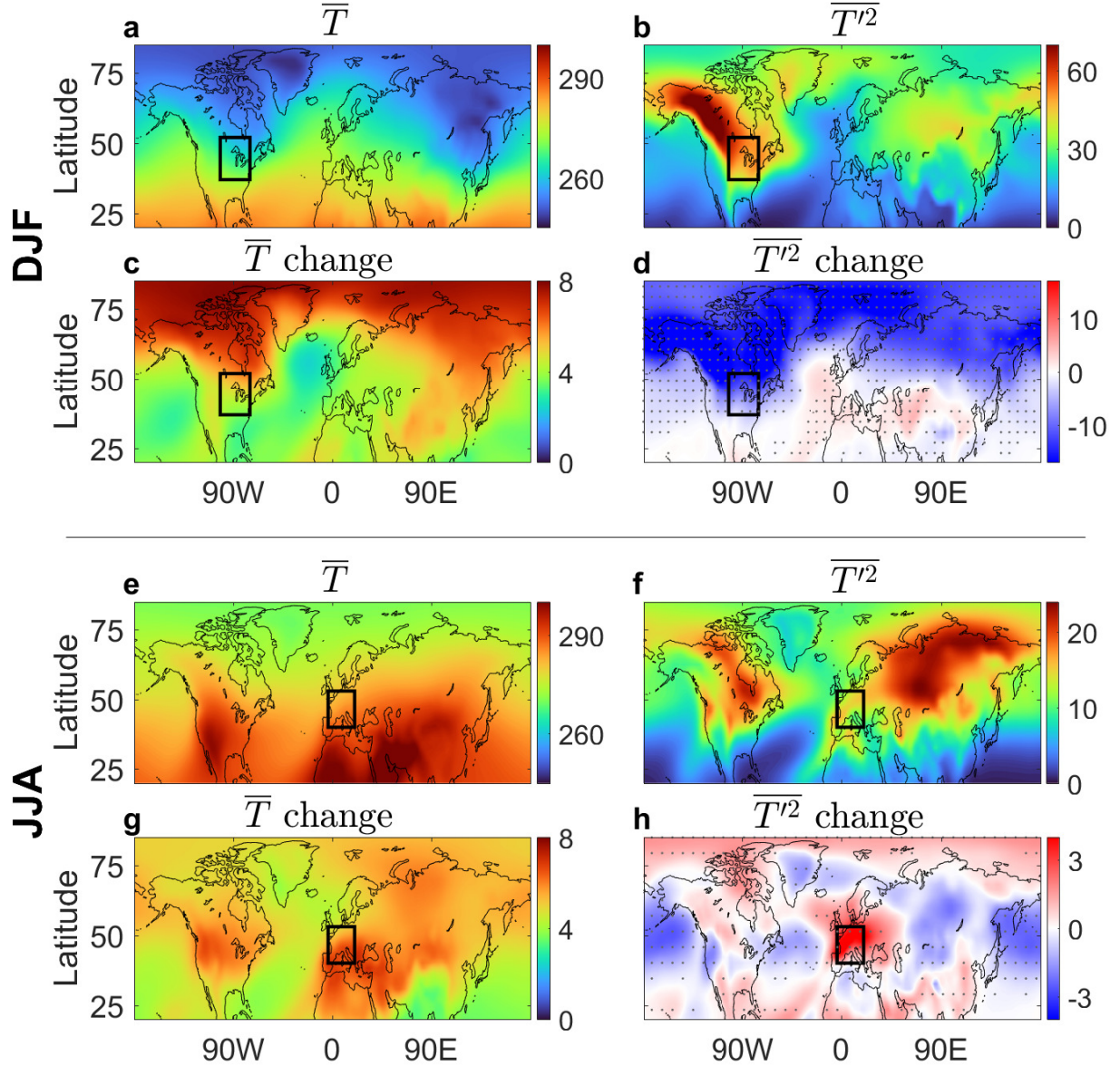


Figure 1: The historical (1981-1999) ensemble-mean climatological temperature and variance and their projected changes (2081-2099 minus historical), based on 26 CMIP5 RCP8.5 ensemble members. The 850 hPa (a) mean temperature (K) and (b) temperature variance (K²) during winter (December-January, DJF), and the corresponding projected changes in (c) and (d), respectively. Panels (e)-(h) show the same but for the summer period (June-August, JJA). Regions where more than 70% of the models agree on the sign of the variance changes are stippled.

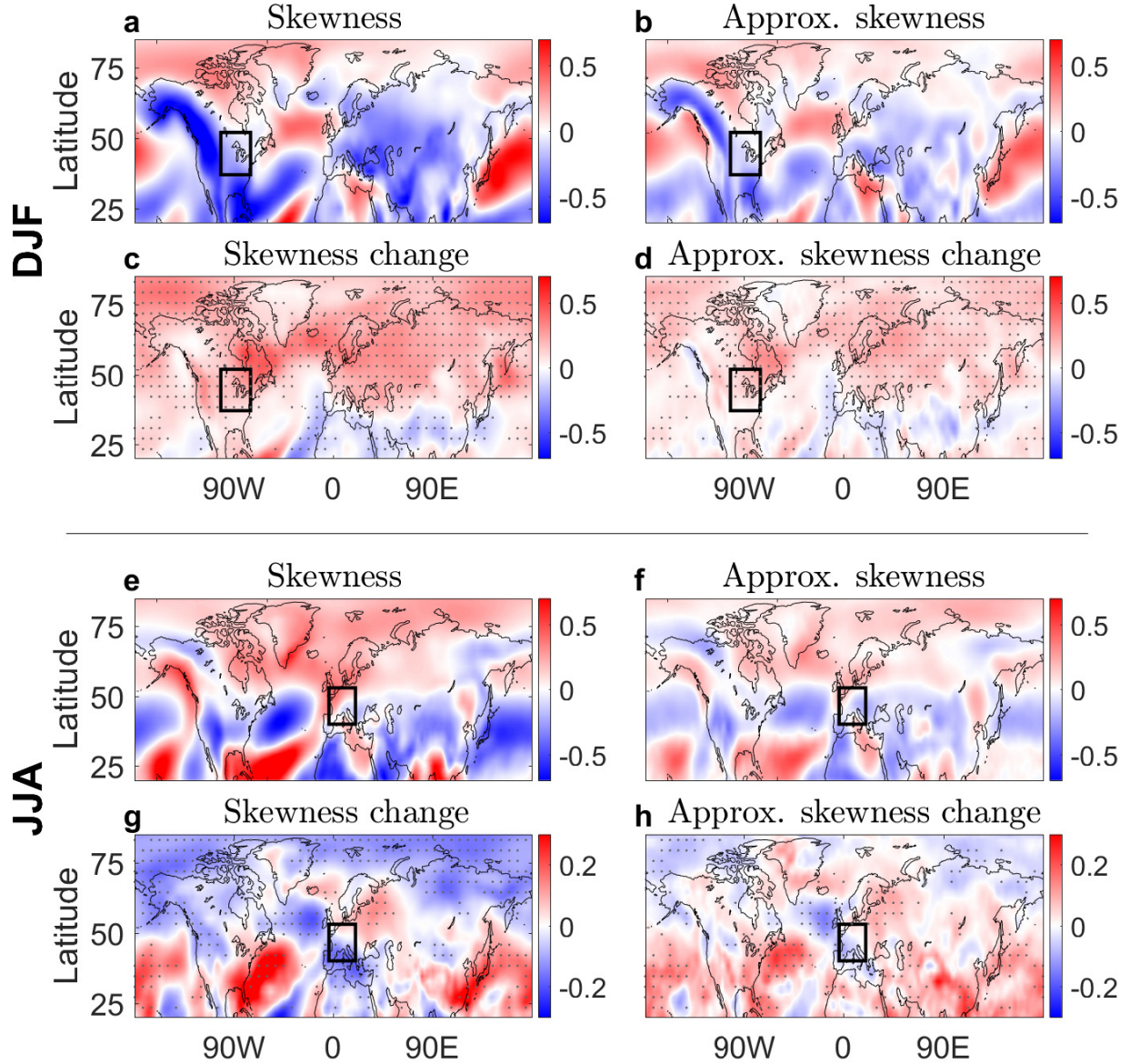


Figure 2: The historical (1981-1999) ensemble-mean temperature skewness and its projected changes (2081-2099 minus historical). The 850 hPa winter (DJF) (a) temperature skewness and (b) approximate temperature skewness, $S \approx \frac{T_w - T_c}{\frac{1}{2}(T_w + T_c)}$ (see Supplementary Information), where T_c and T_w denote the mean intensity (in absolute value) of the cold and warm temperature anomalies, respectively, produced from the tracking statistics (see Methods and Fig. 3). The corresponding projected changes are shown in (c) and (d), respectively. Panels (e)-(h) show the same but for the summer period (JJA). Regions where more than 70% of the models agree on the sign of the changes are stippled.

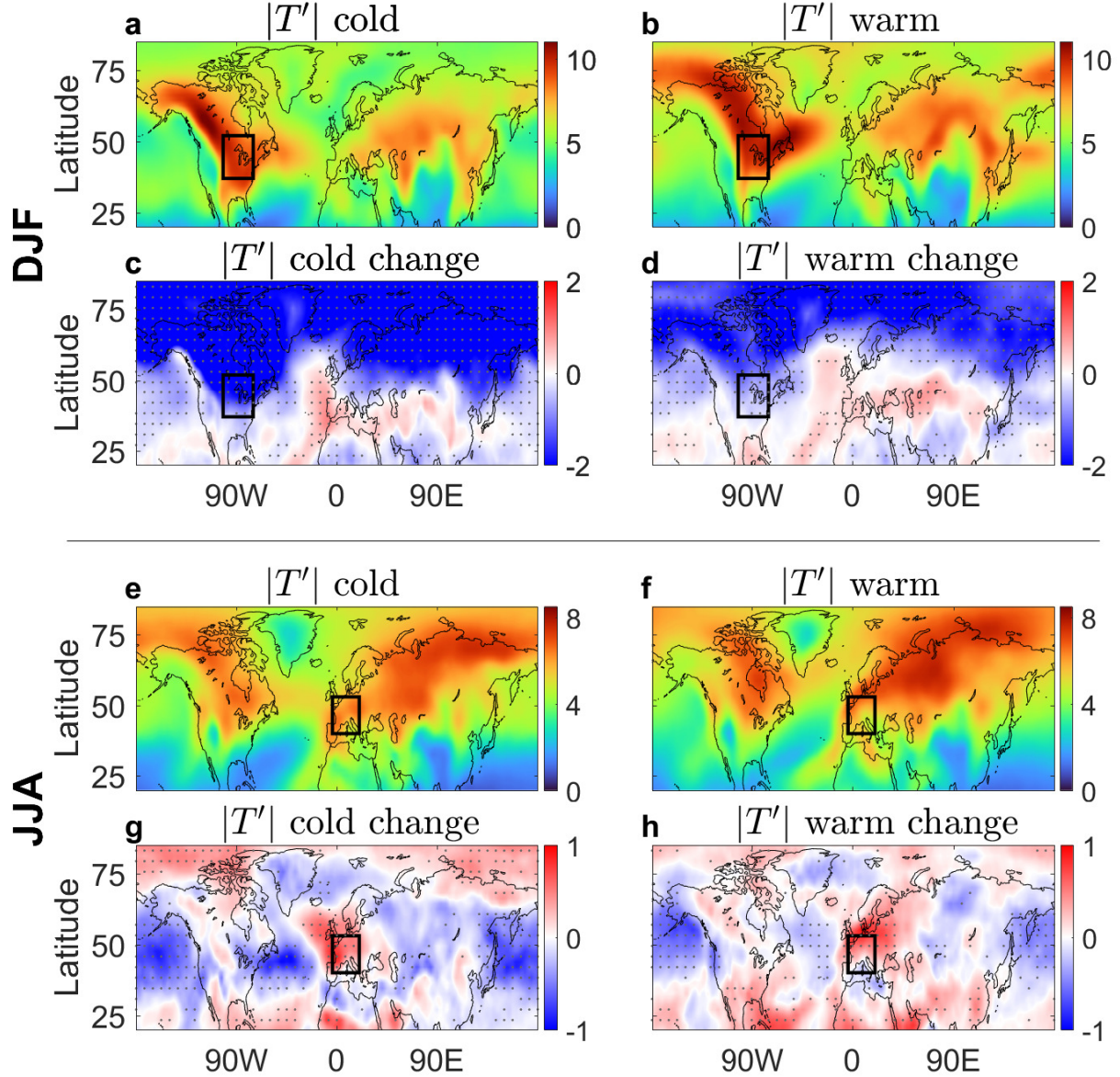


Figure 3: The historical (1981-1999) ensemble-mean intensities of cold and warm anomalies produced from the temperature tracking statistics, and their projected changes (2081-2099 minus historical). The mean intensity of the 850 hPa (a) cold and (b) warm temperature anomalies during winter (DJF), and their corresponding projected changes in (c) and (d), respectively. Panels (e)-(h) show the same but for the summer period (JJA). Regions where more than 70% of the models agree on the sign of the changes are stippled.

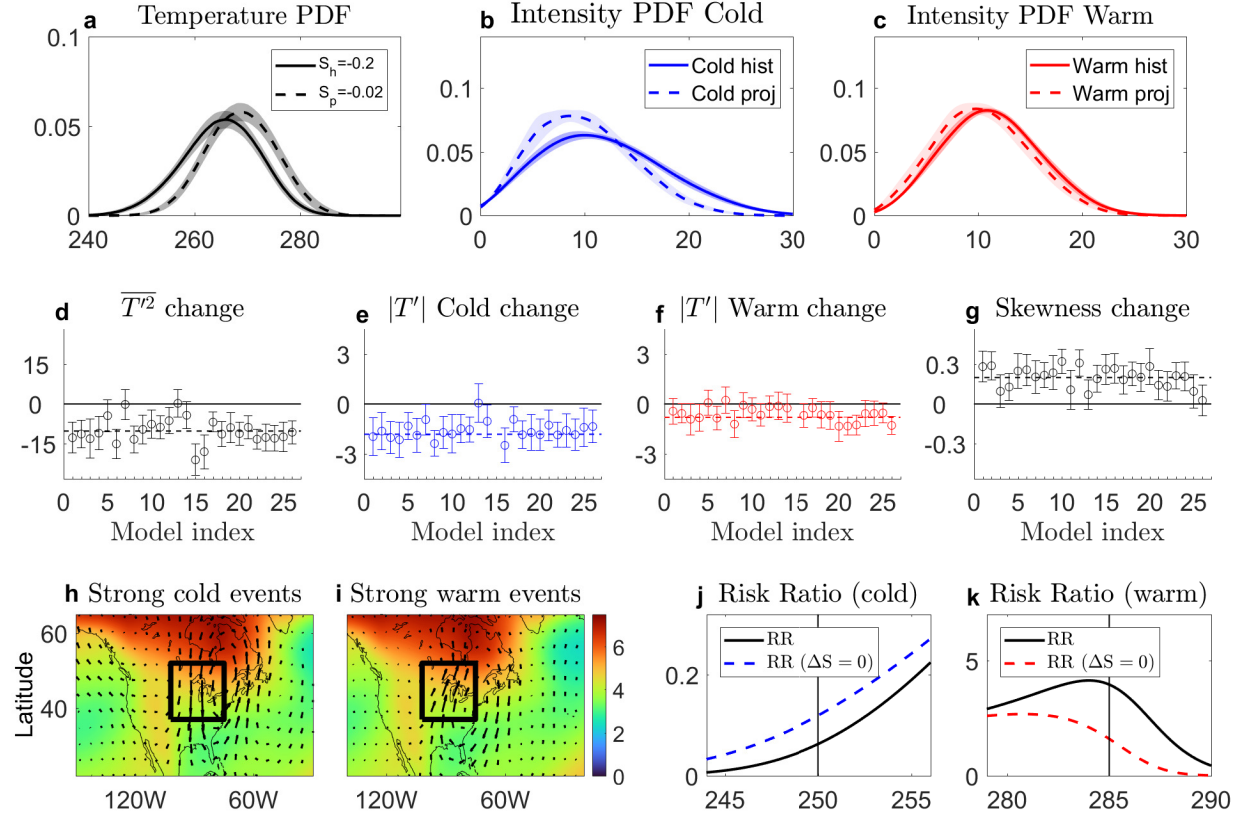


Figure 4: The 850 hPa temperature variability changes in east-central North America during DJF. PDF of (a) temperature (K), and intensity of (b) cold and (c) warm temperature anomalies (K) from the tracking, for the historical (solid lines) and projected (dashed lines) simulations (S_h and S_p in the legend of (a) denote the corresponding skewness of the PDF). The model spread of the region-averaged (d) temperature variance (K^2), (e) intensity of cold and (f) warm temperature anomalies (K) from the tracking statistics, and (g) temperature skewness, where each dot corresponds to a model in accordance with the list in Table S1. Dashed horizontal lines show the ensemble mean averages, and the errorbars denote the 95% confidence interval from the yearly values for each model. Composites of the anomalous circulation (arrows) in the projected simulations associated with strong (h) cold and (i) warm anomalies that crossed the region (see Methods), and the projected background temperature increase (shading). Black box denotes the region. The risk ratio of the (j) cold and (k) warm tails, with (solid black line) or without (dashed lines) the projected skewness change.

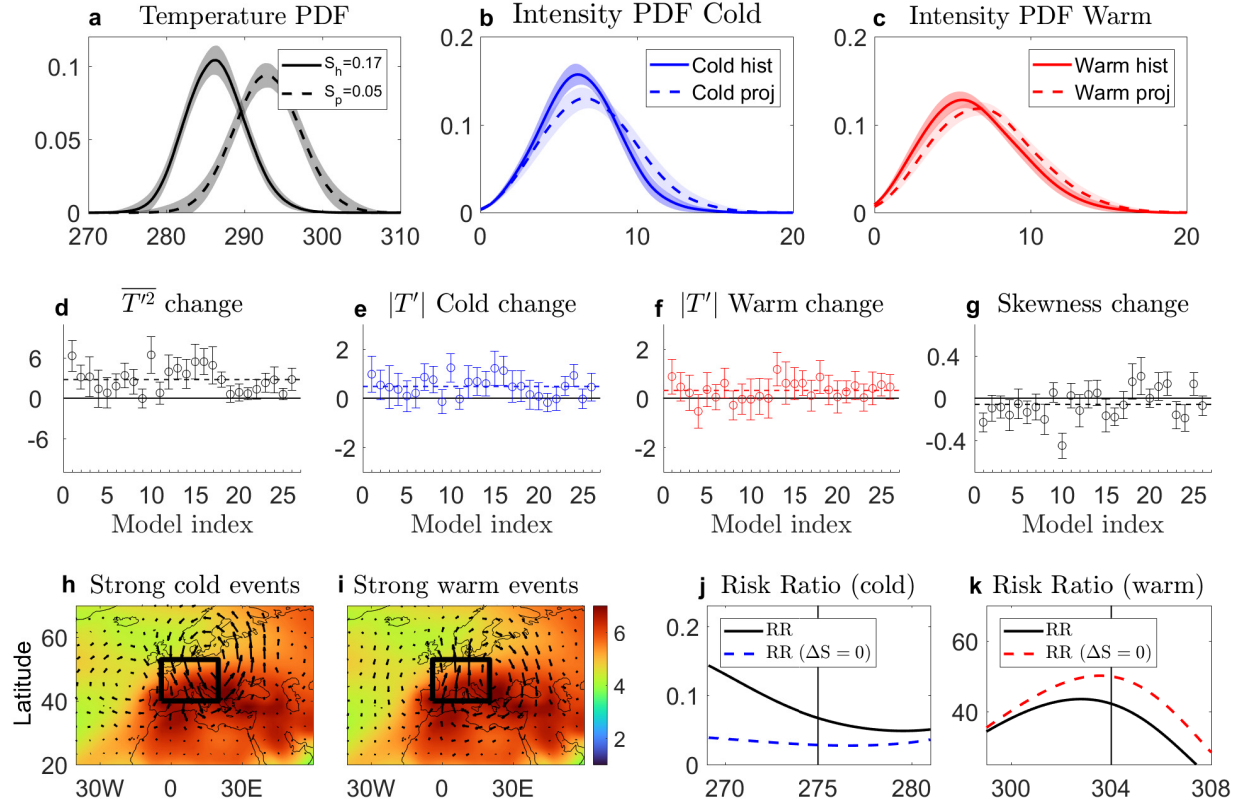


Figure 5: As in Fig. 4 but for central Europe during summer (JJA).

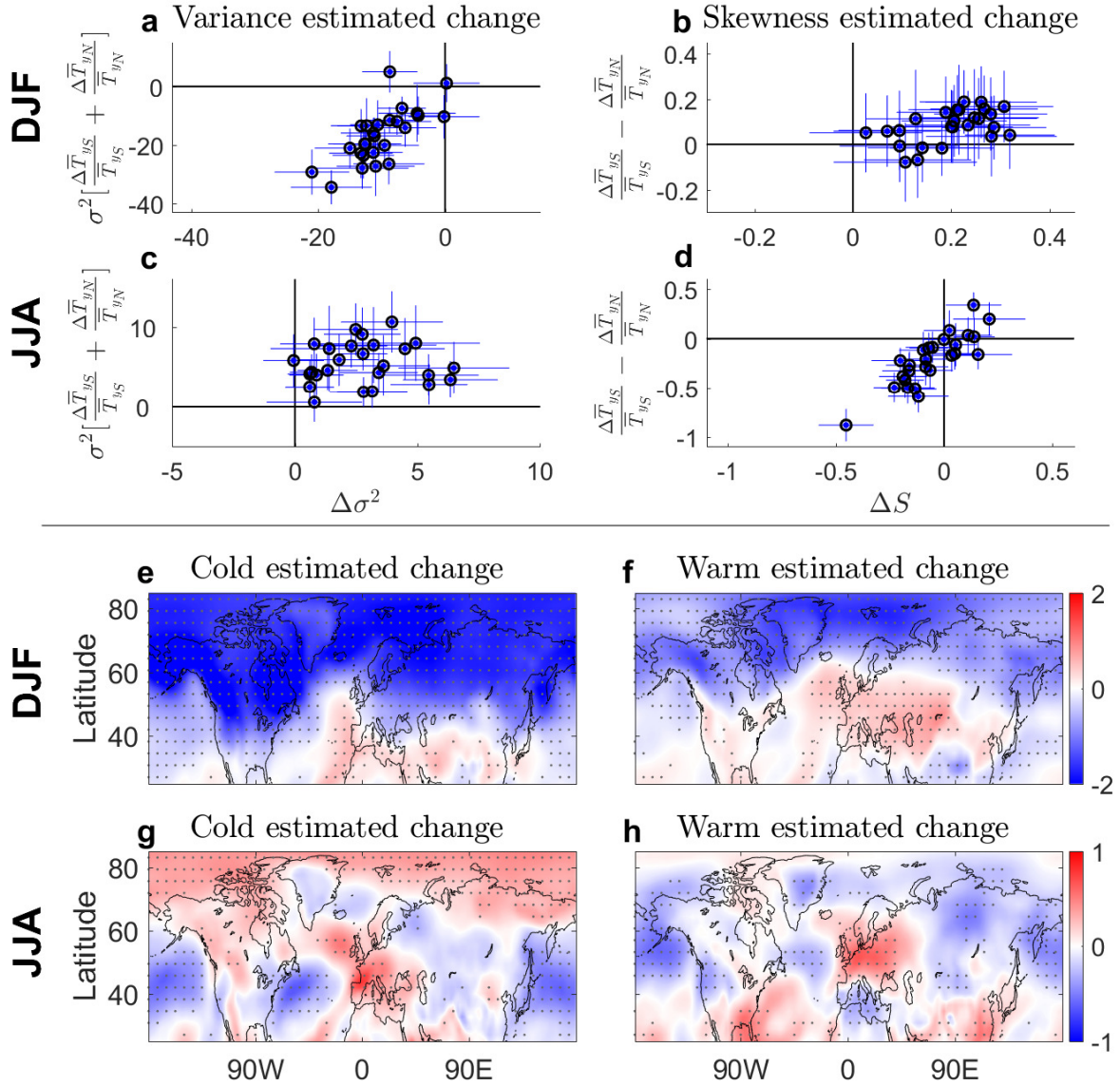
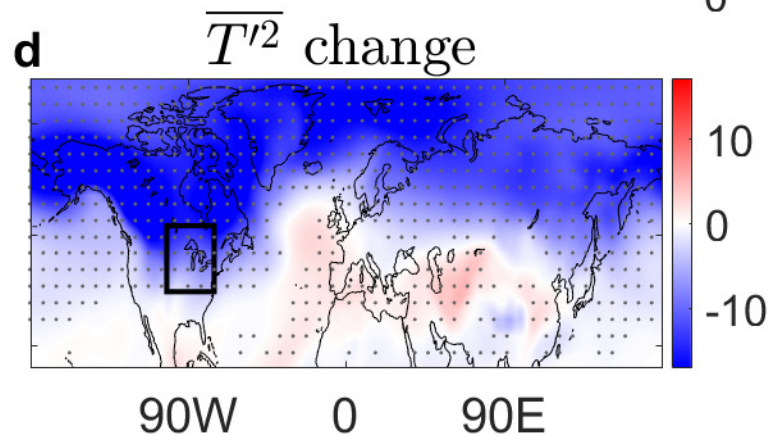
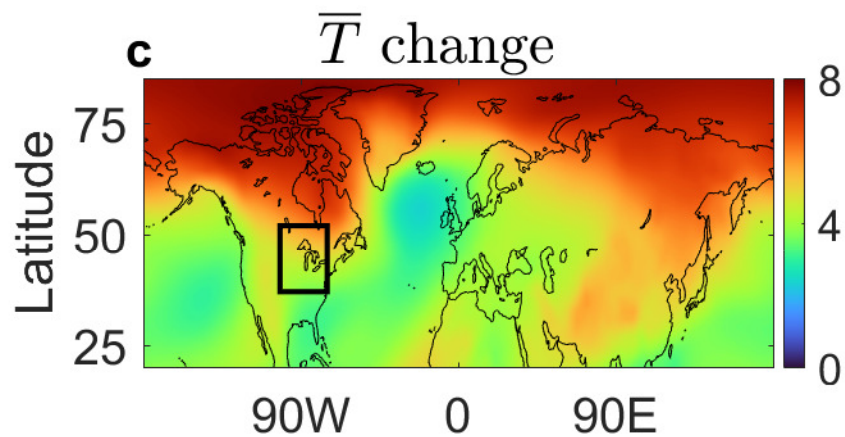
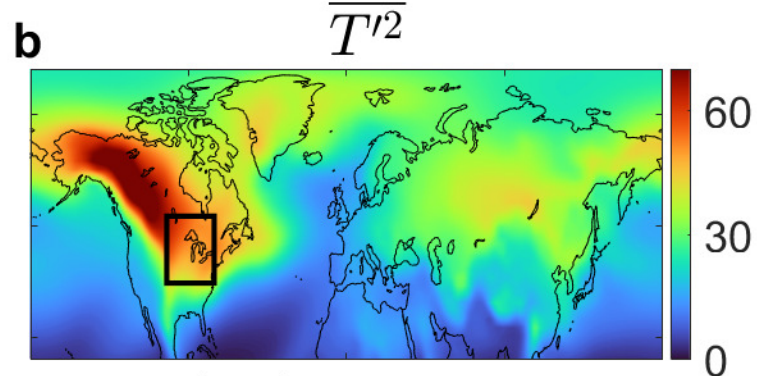
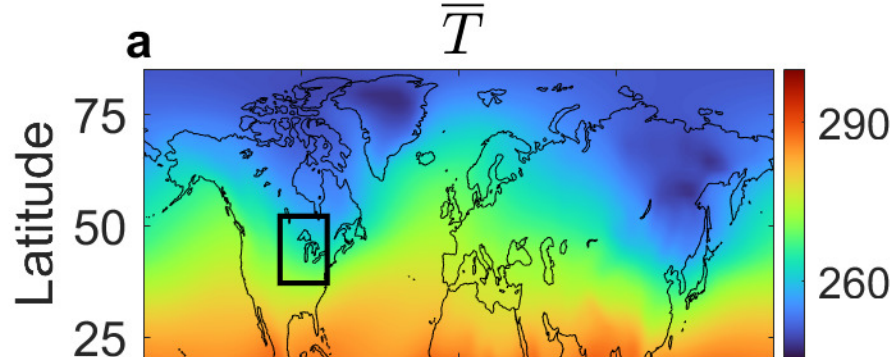
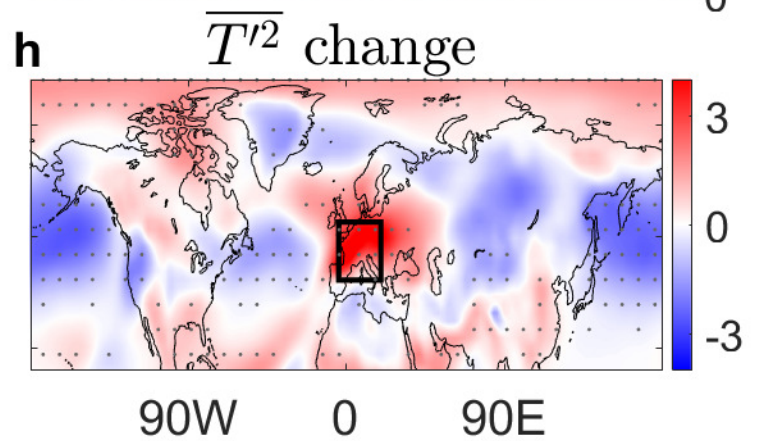
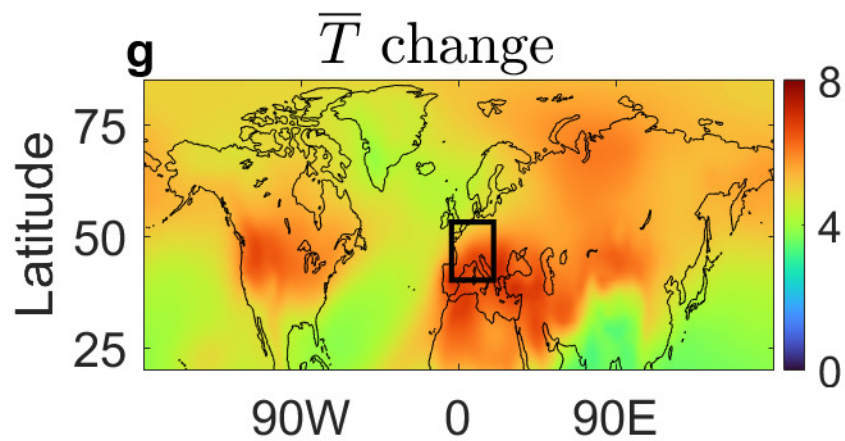
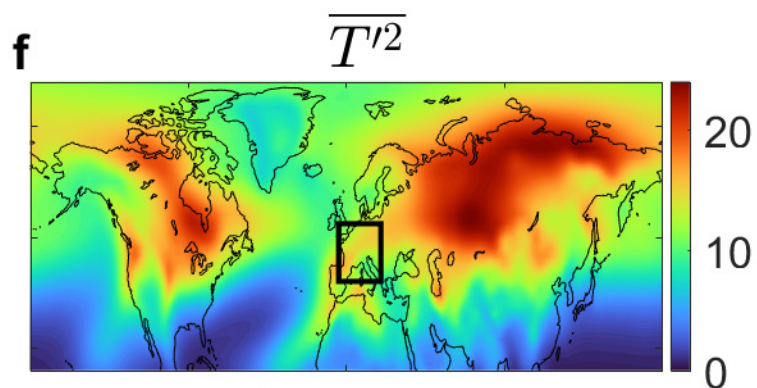
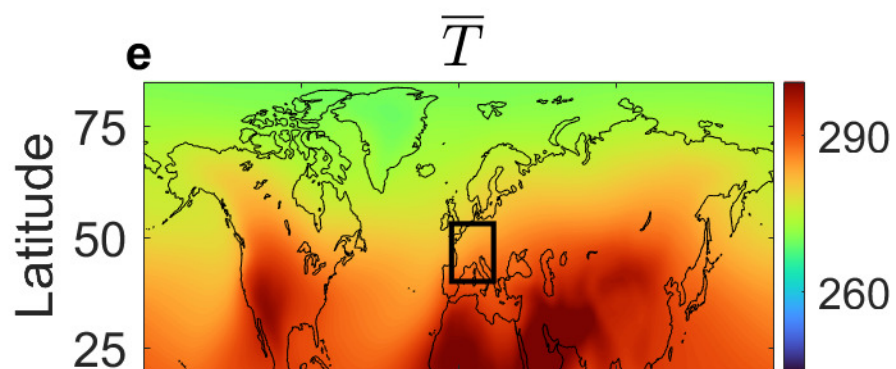
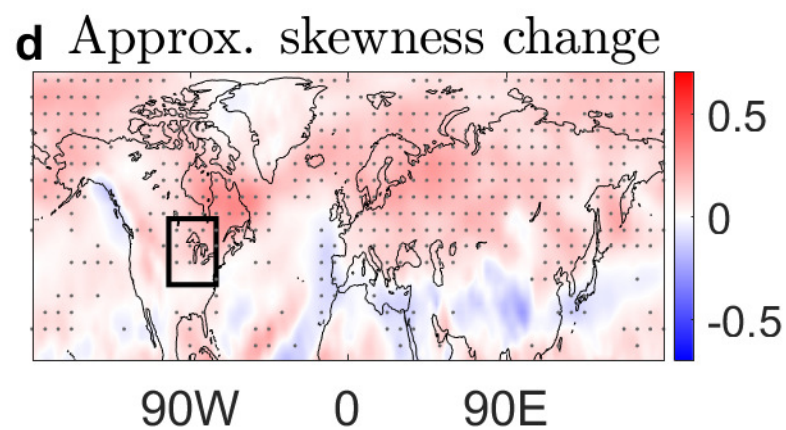
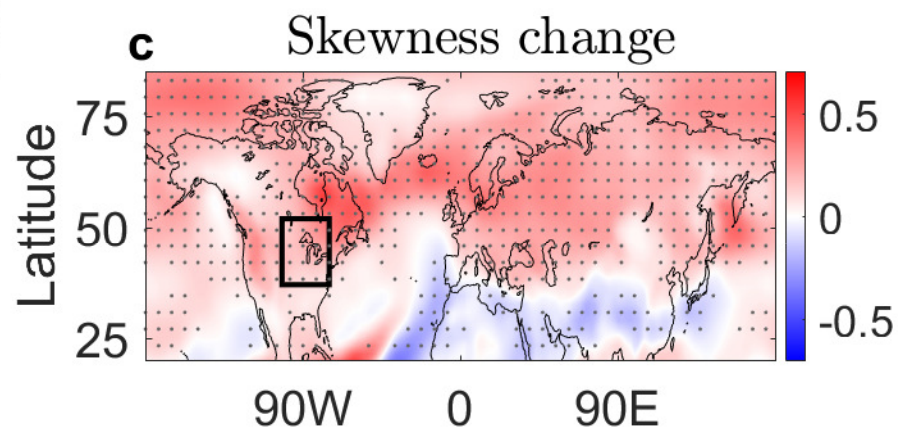
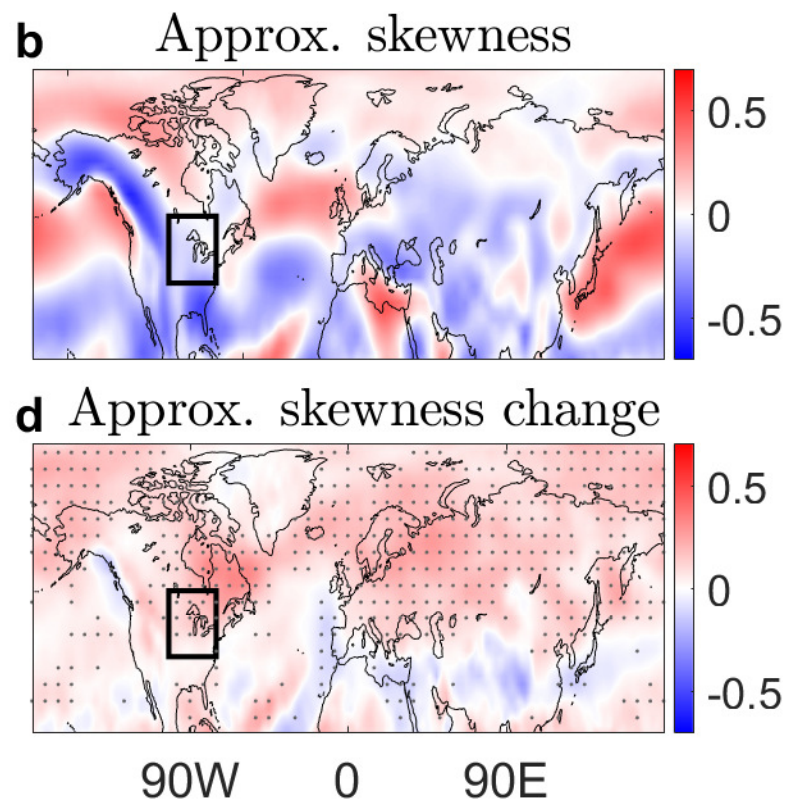
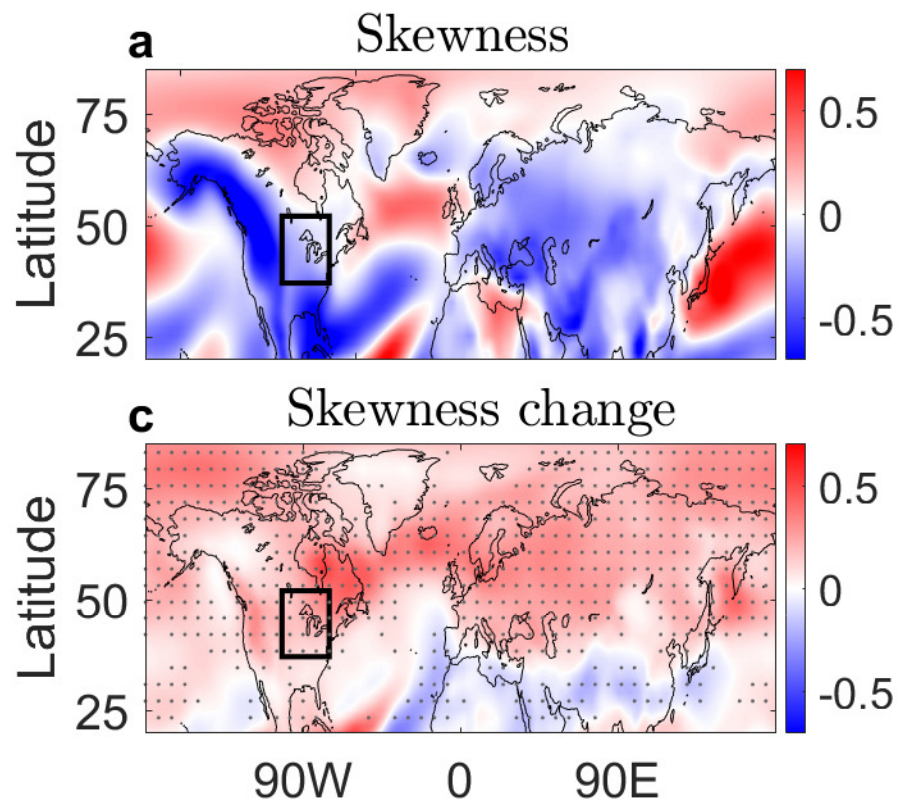
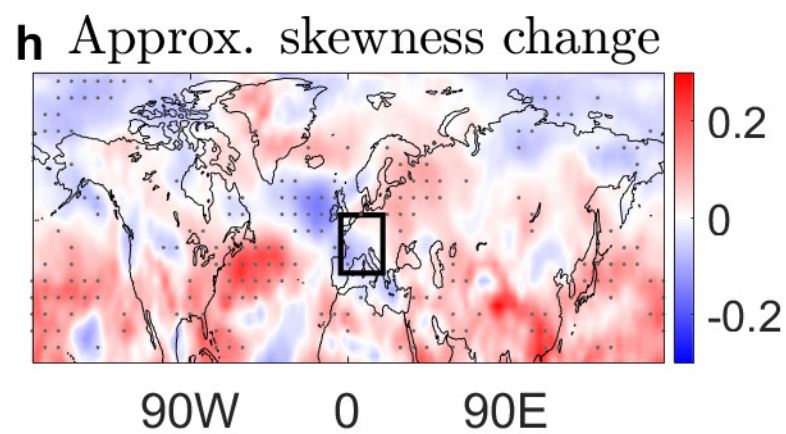
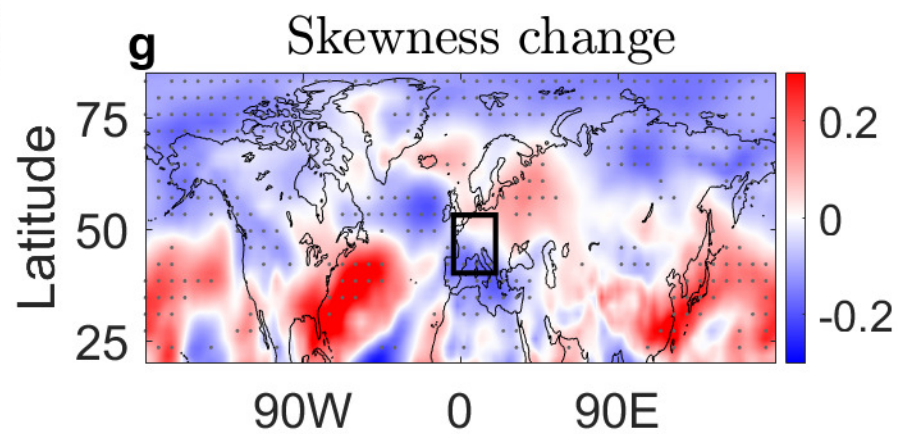
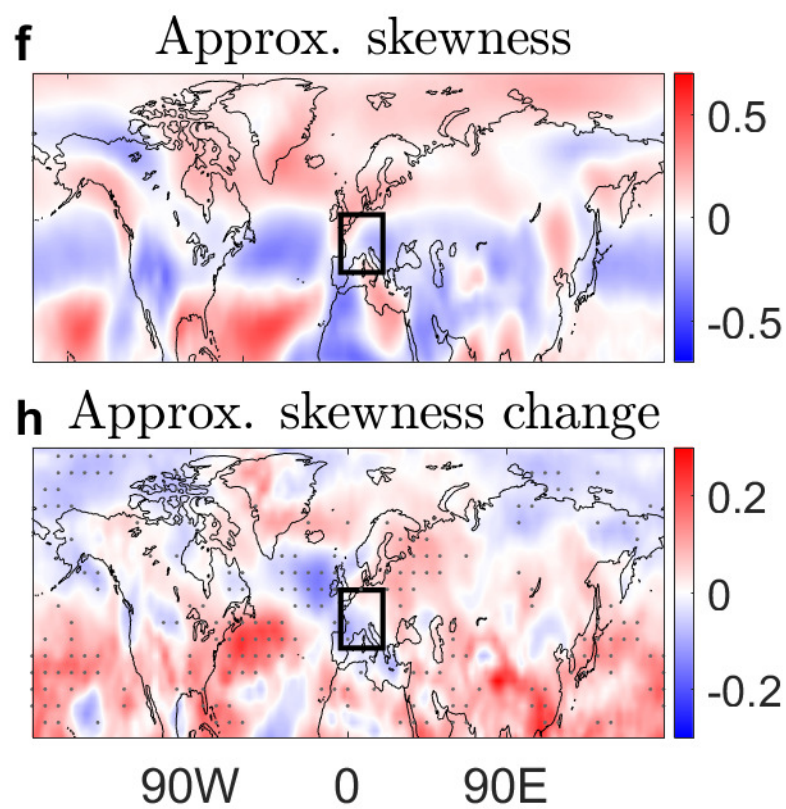
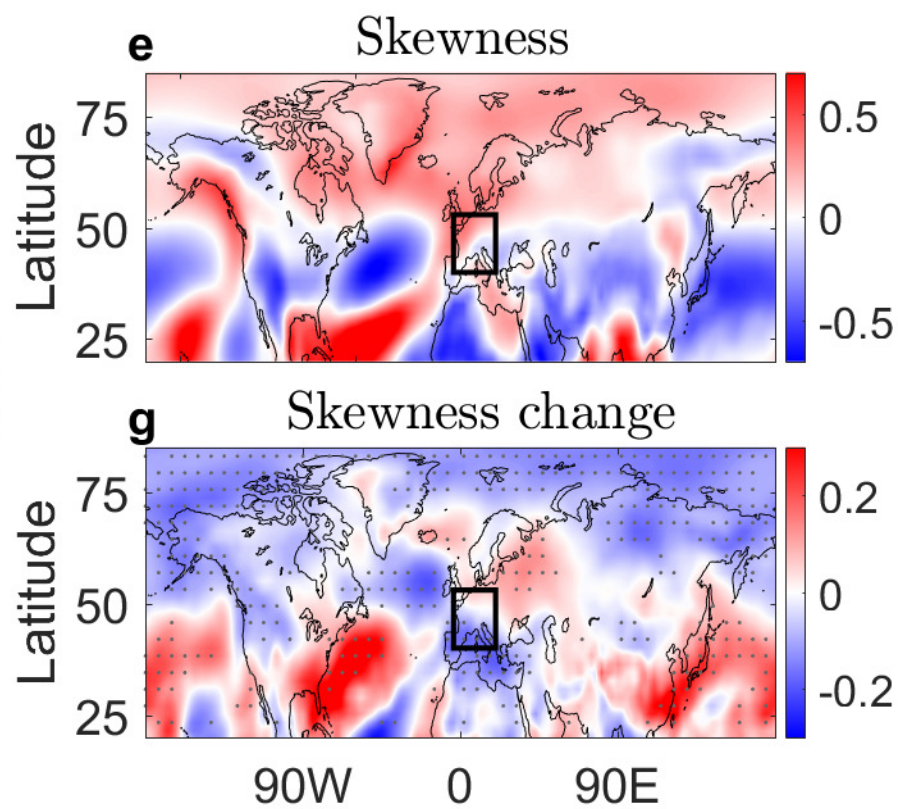
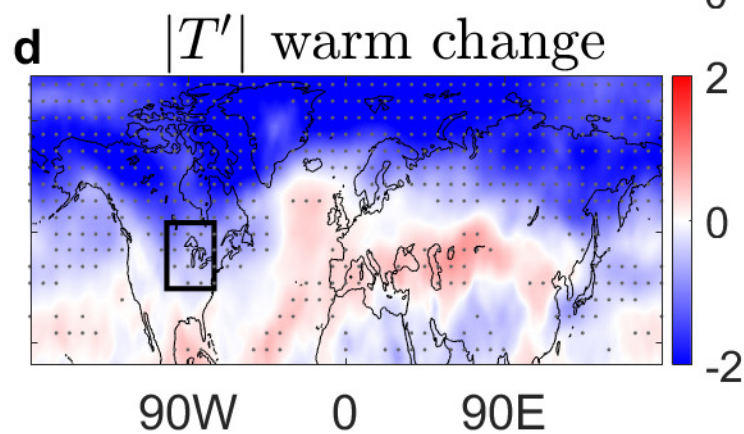
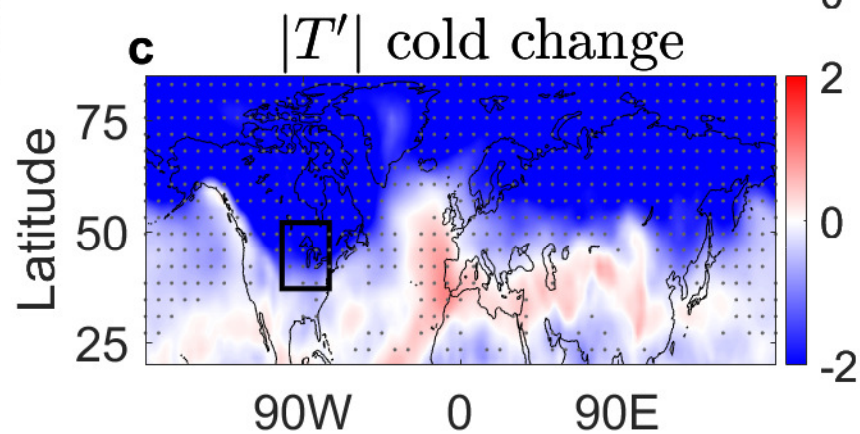
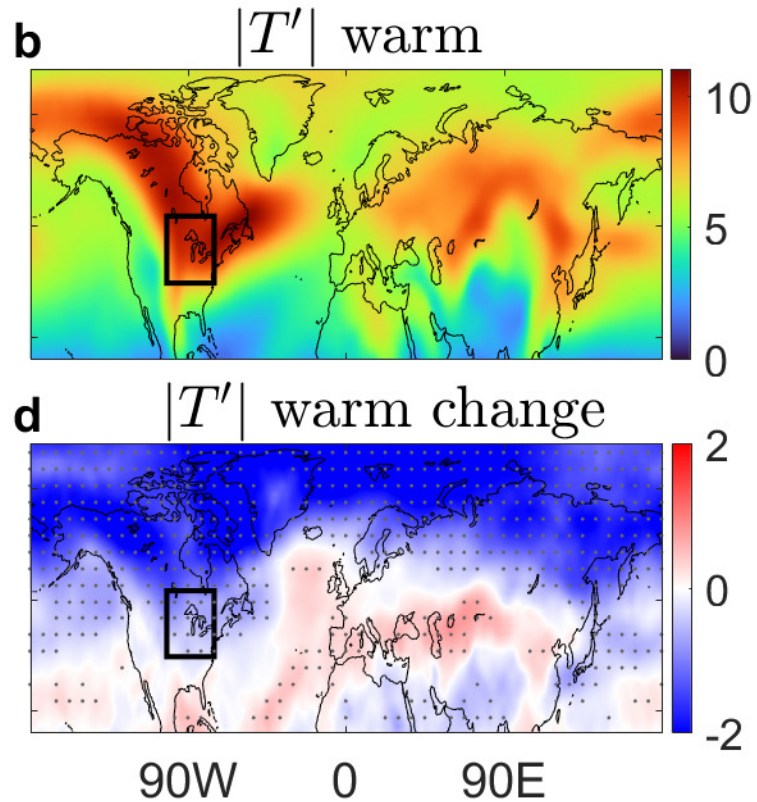
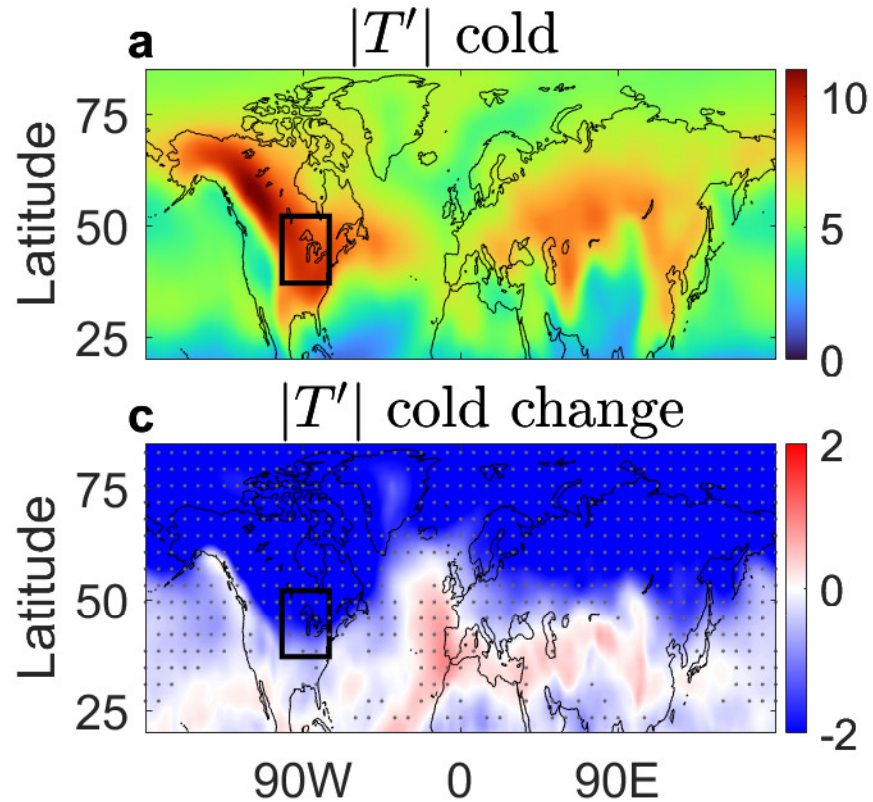
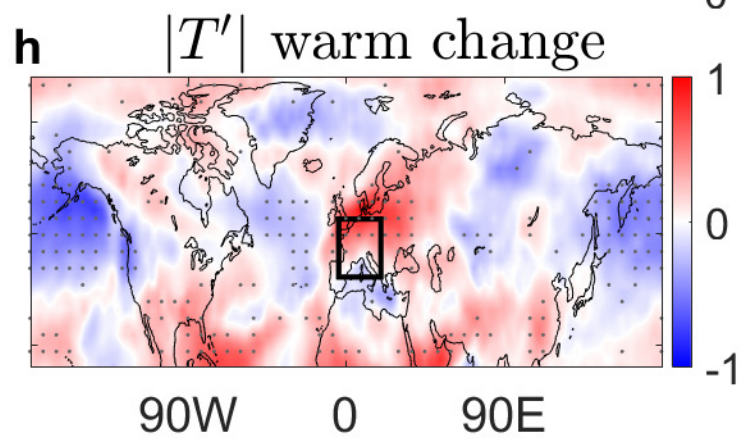
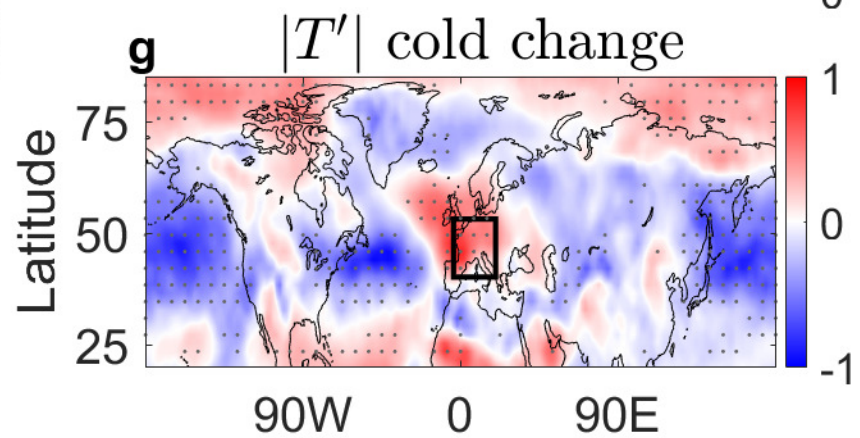
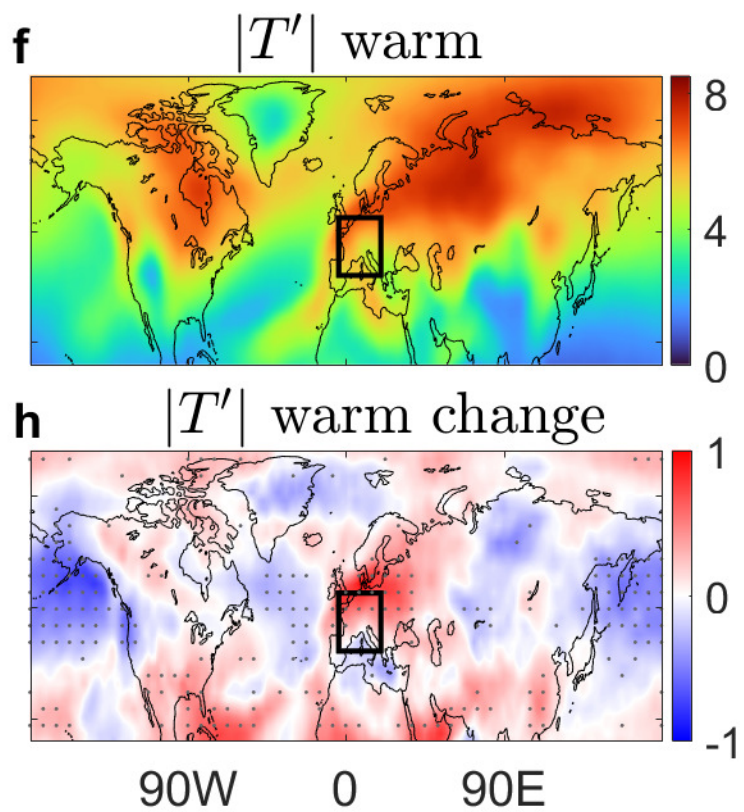
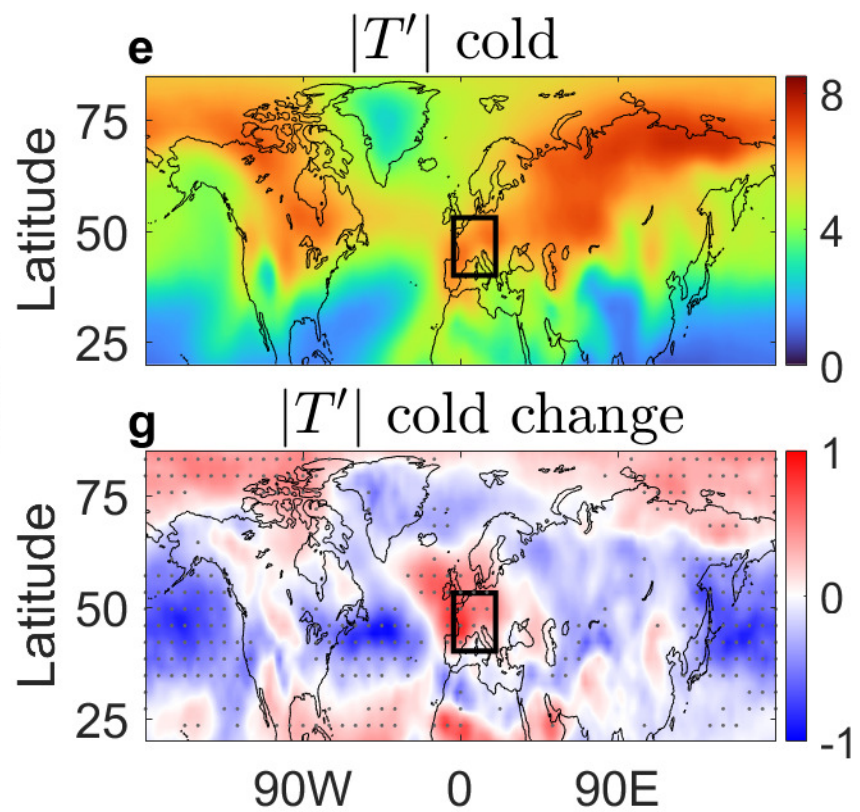
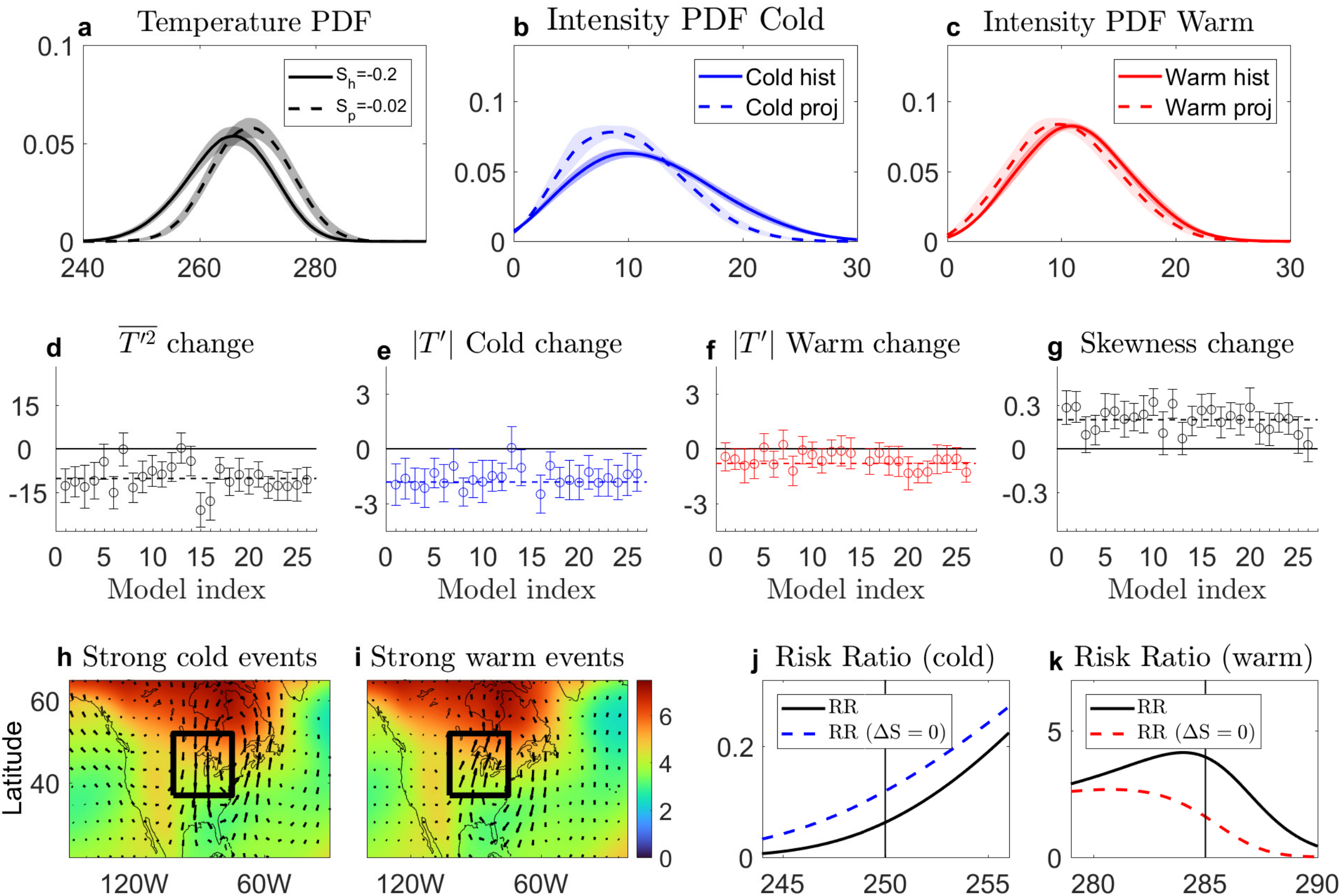


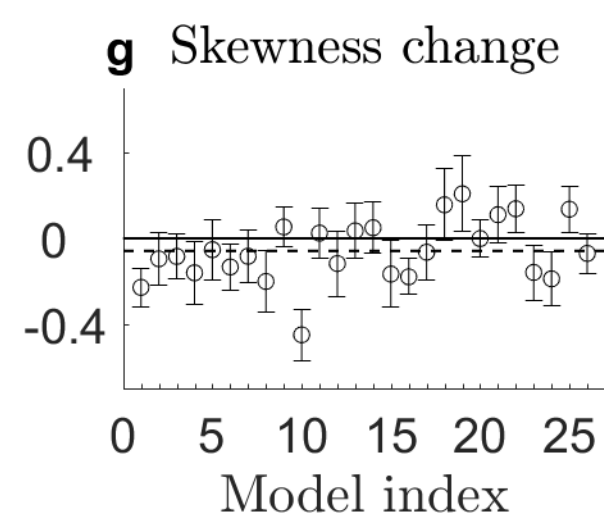
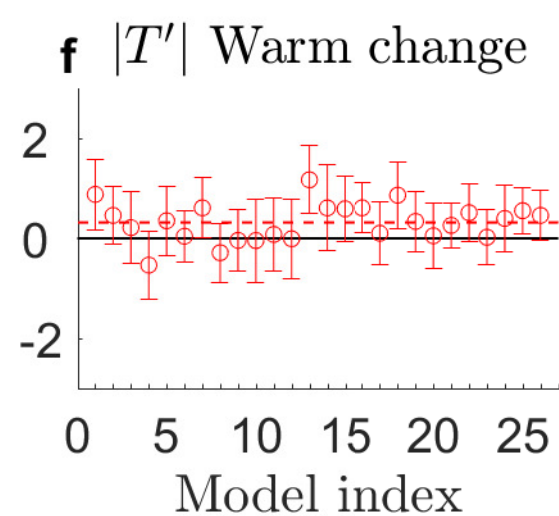
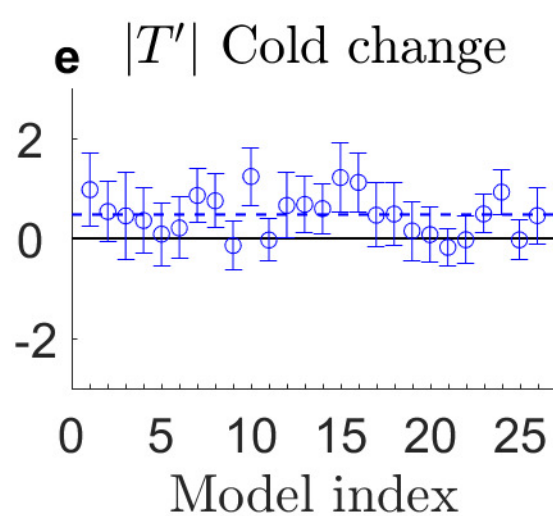
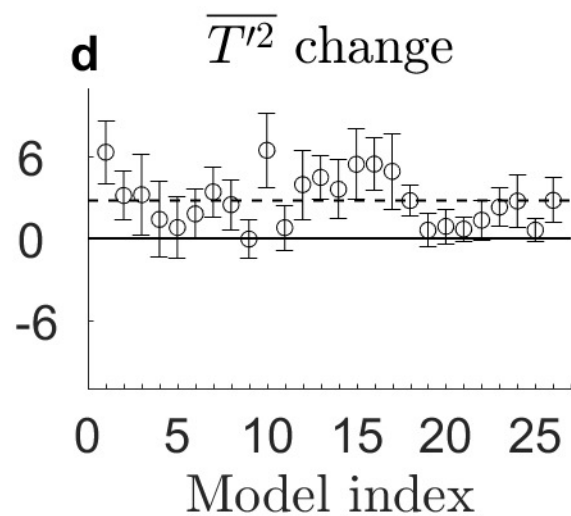
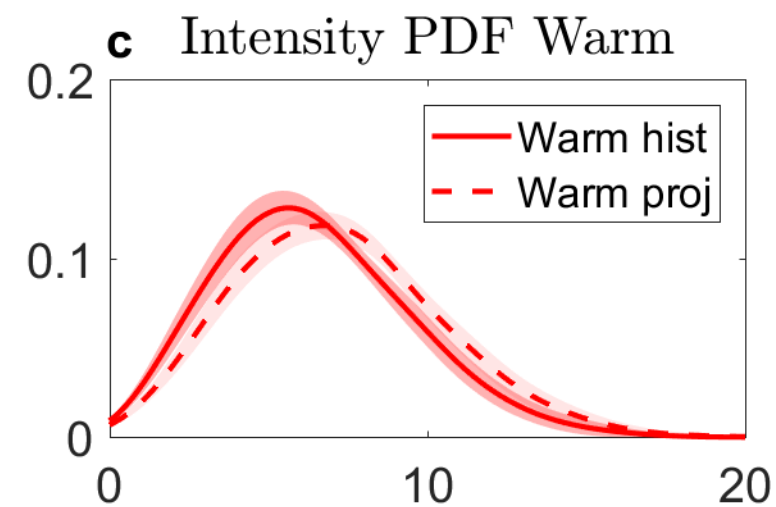
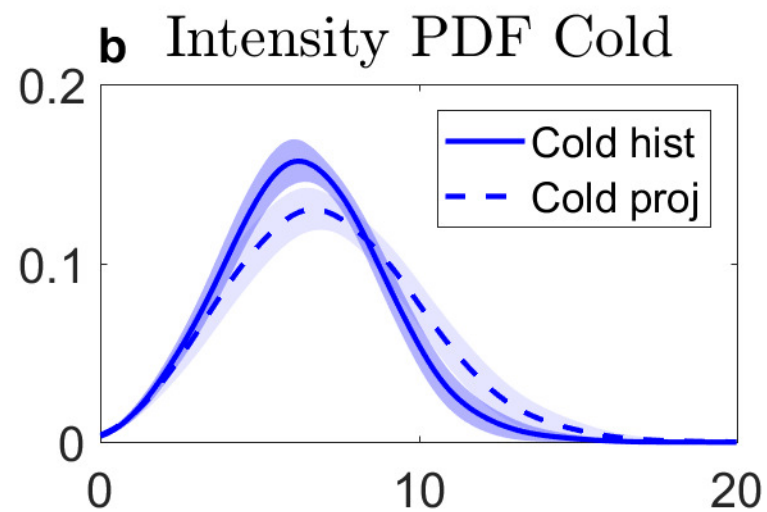
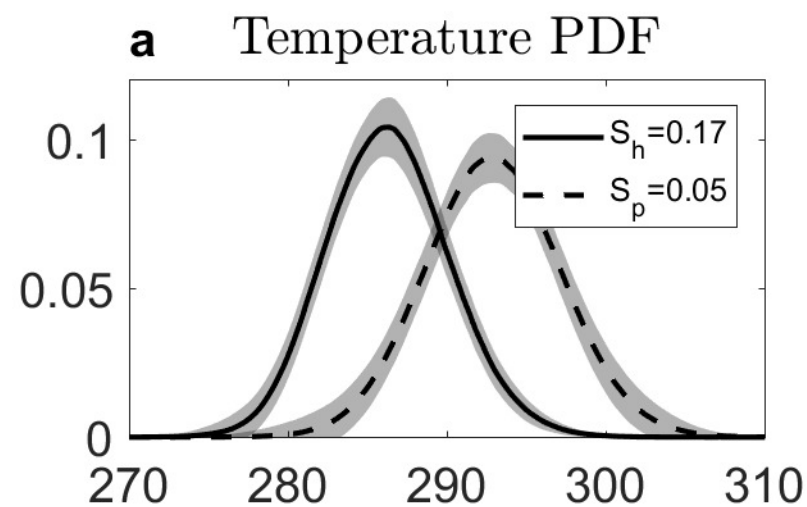
Figure 6: Estimated temperature variance and skewness changes, and estimated changes in the mean intensity of cold and warm anomalies. The predicted vs. simulated variance (a,c) and skewness (b,d) changes for east-central North America during winter (first row) and central Europe during summer (second row). Each dot represents a model, and the errorbars denote the 95% confidence intervals from the yearly values. Ensemble-mean estimated changes in the intensity of (e) cold and (f) warm anomalies during winter (DJF), and of (g) cold and (h) warm anomalies during summer (JJA). The approximations are based on the spatial distribution of variance and skewness, and given by projected changes of (5) and (6) for the cold and warm anomalies, respectively. Regions where more than 70% of the models agree on the sign of the changes are stippled.

DJF**JJA**

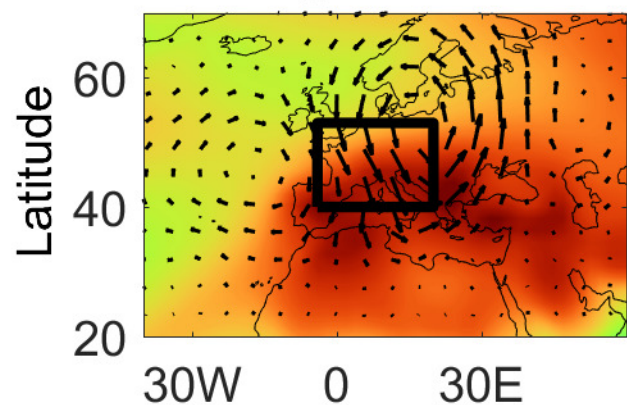
DJF**JJA**

DJF**JJA**

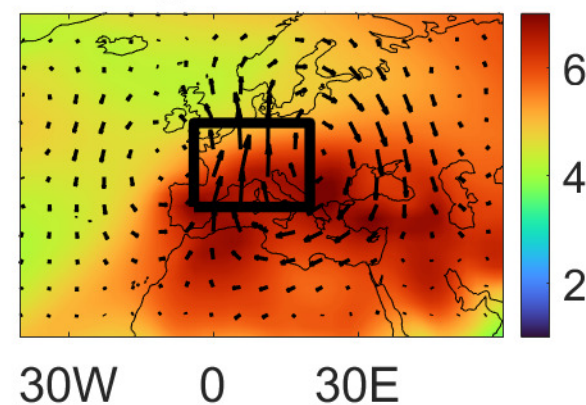




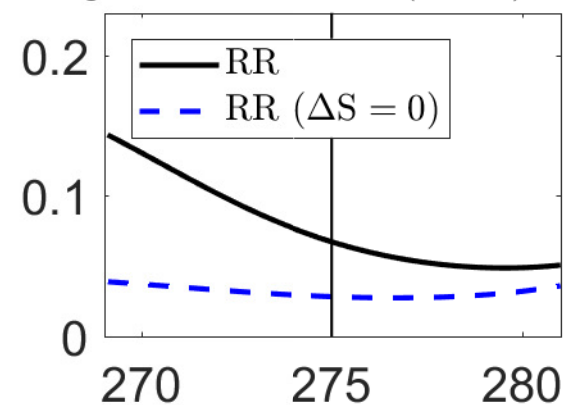
h Strong cold events



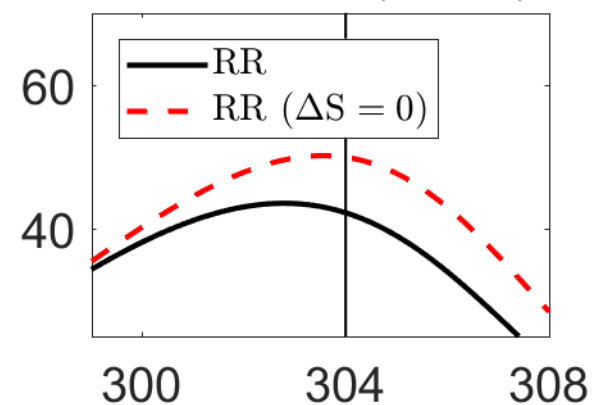
i Strong warm events



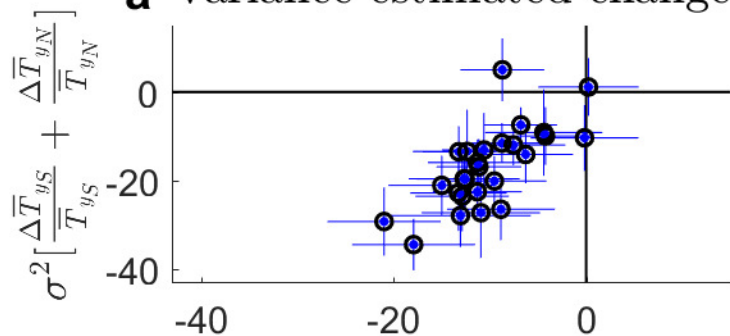
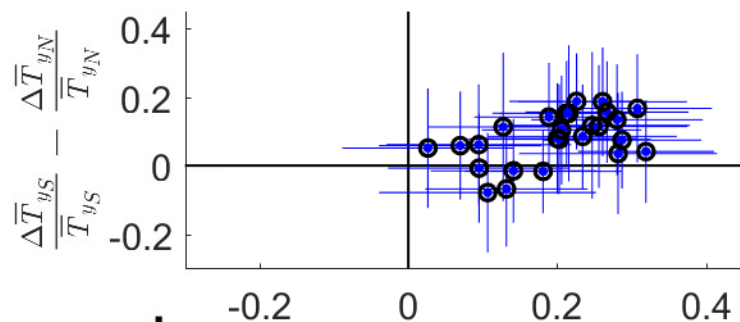
j Risk Ratio (cold)



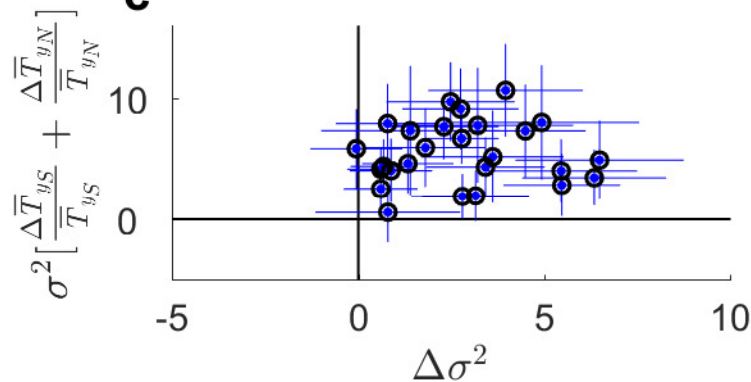
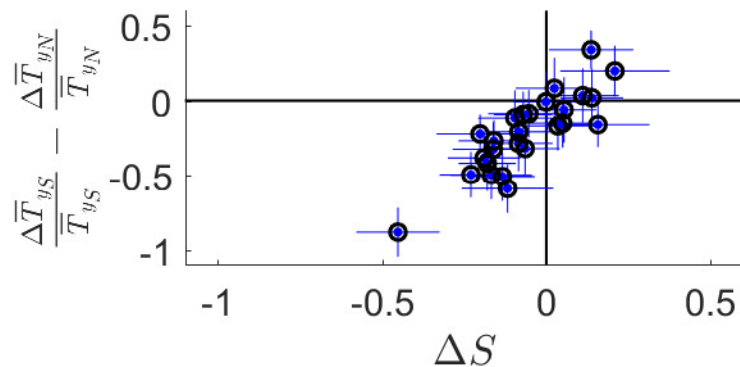
k Risk Ratio (warm)



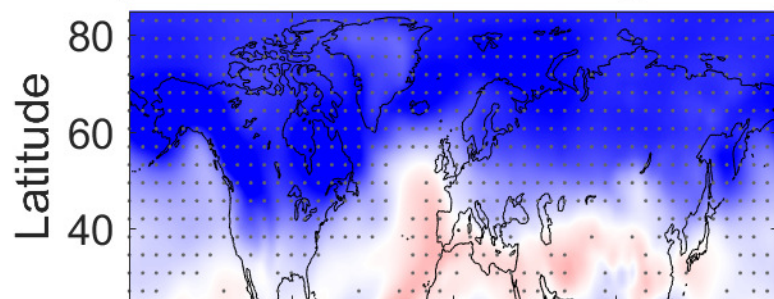
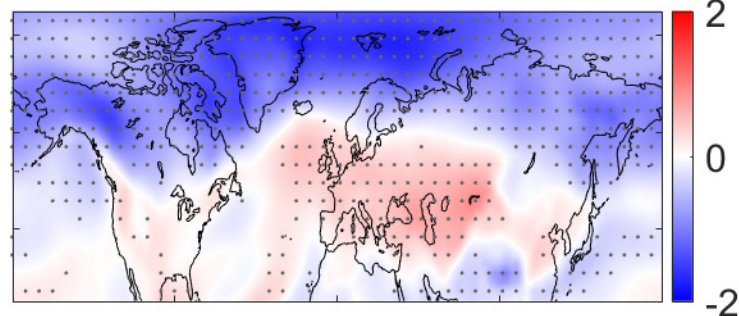
DJF

a Variance estimated change**b** Skewness estimated change

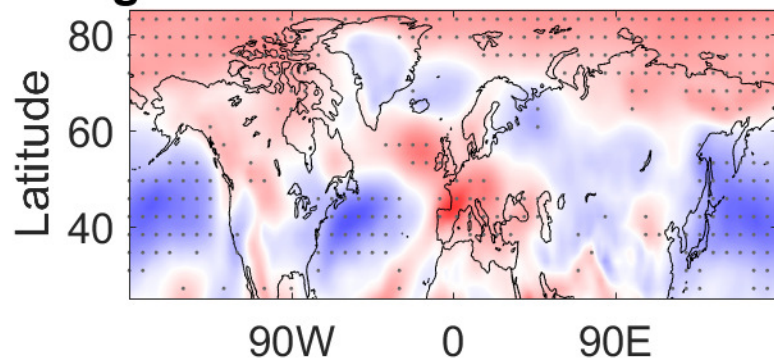
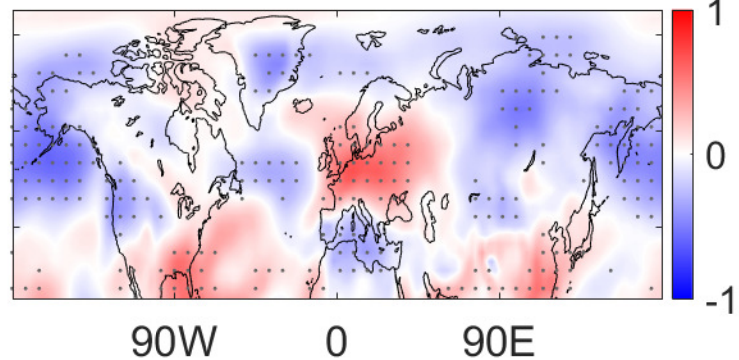
JJA

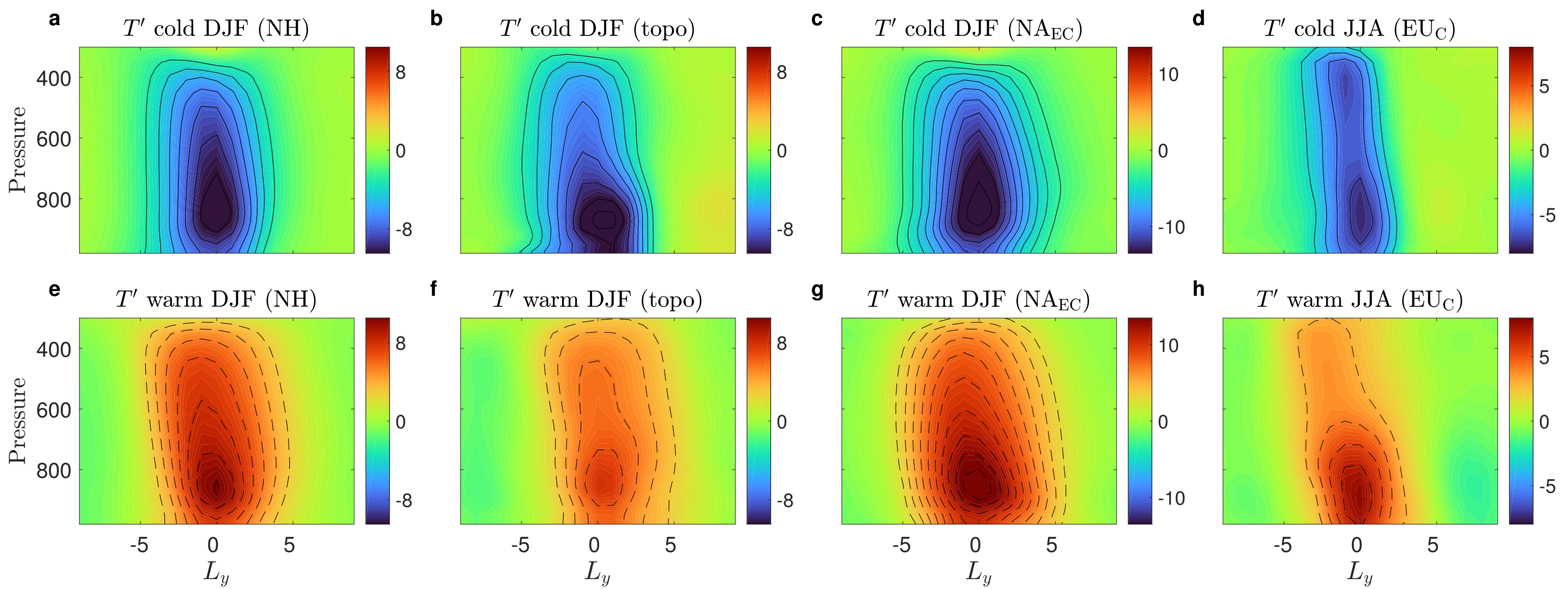
c**d****e** Cold estimated change

DJF

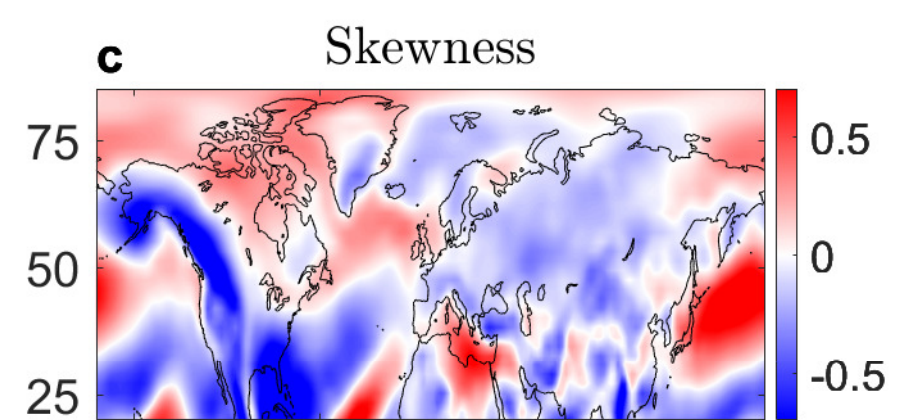
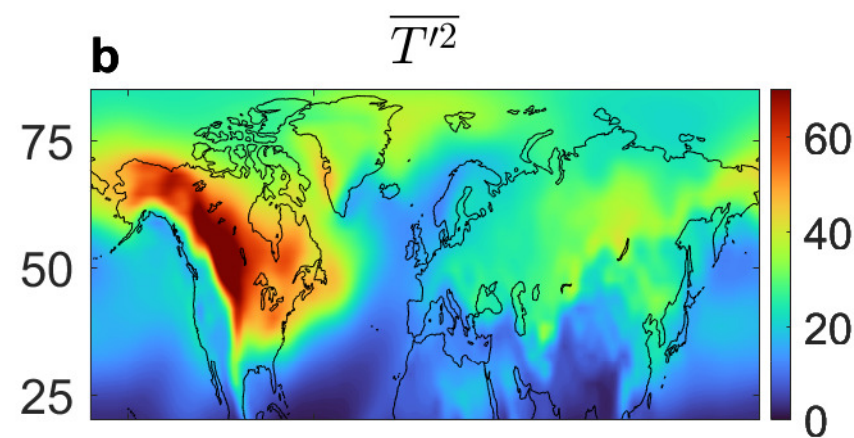
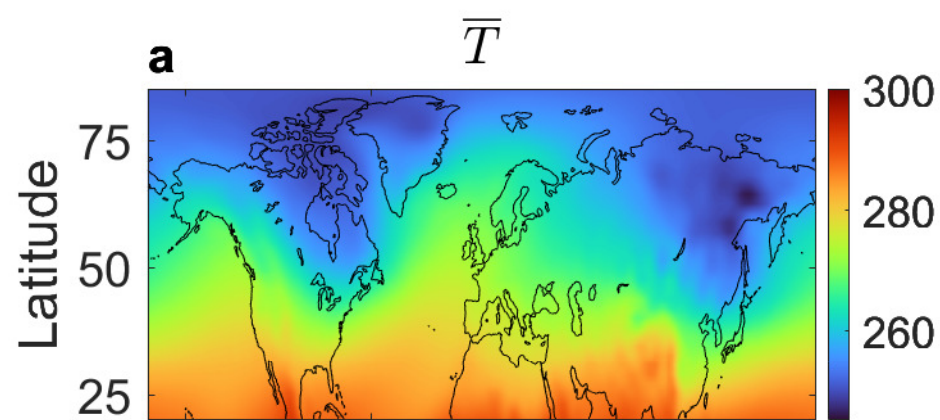
**f** Warm estimated change**g** Cold estimated change

JJA

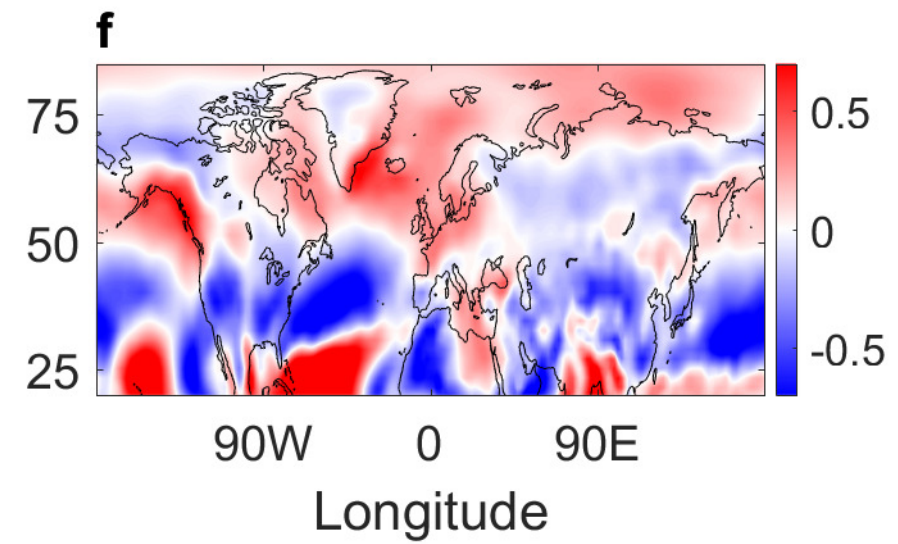
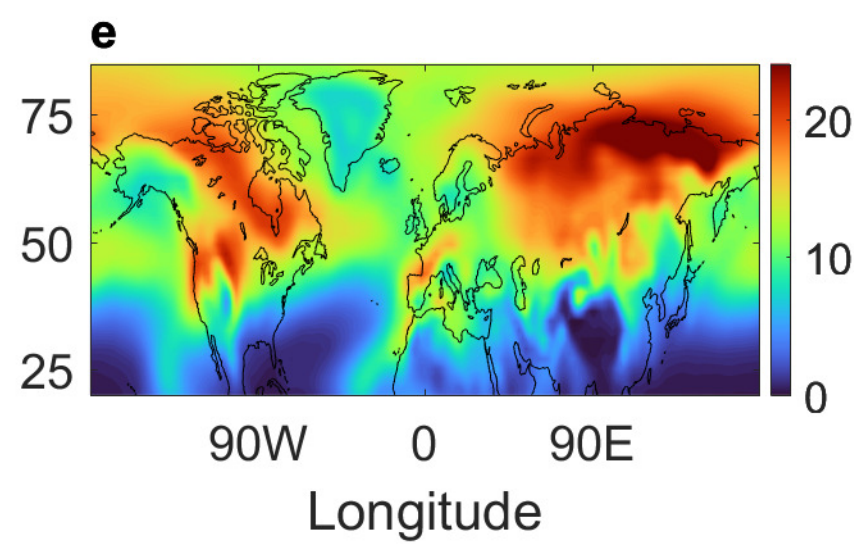
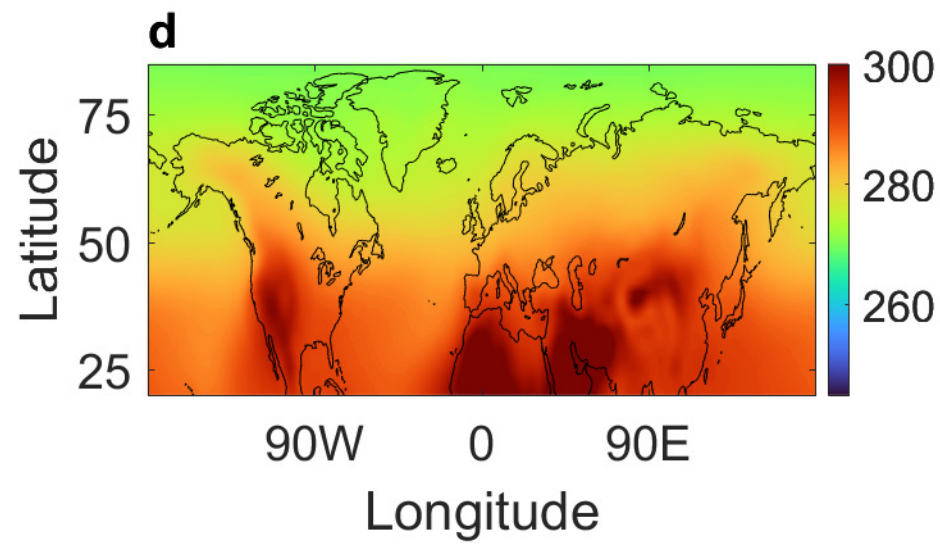
**h** Warm estimated change



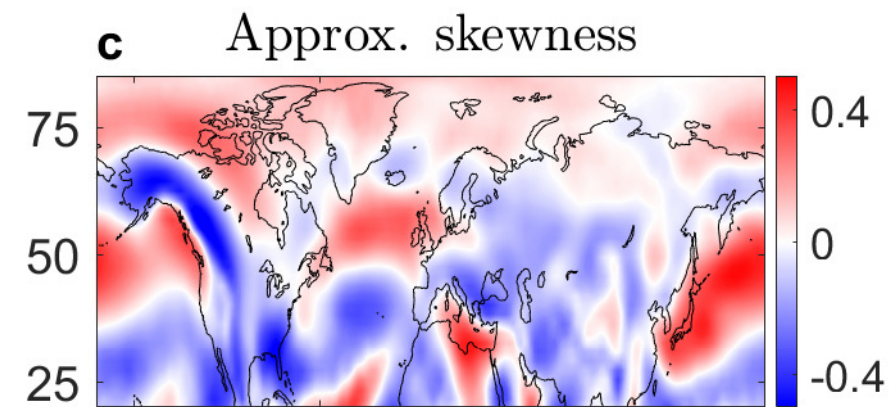
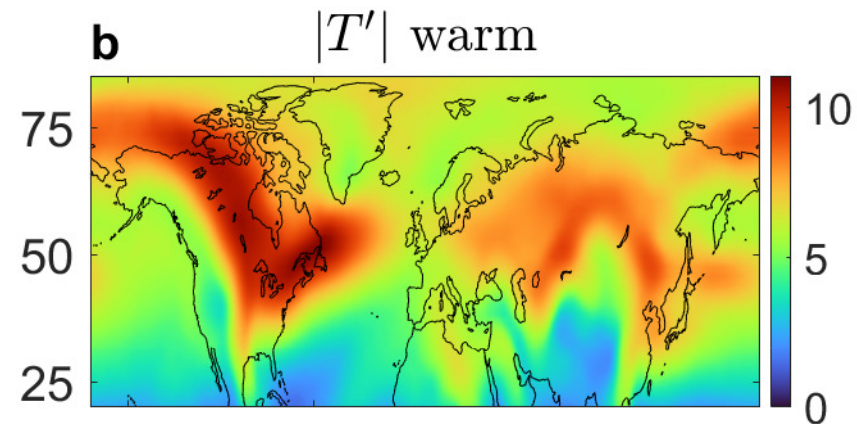
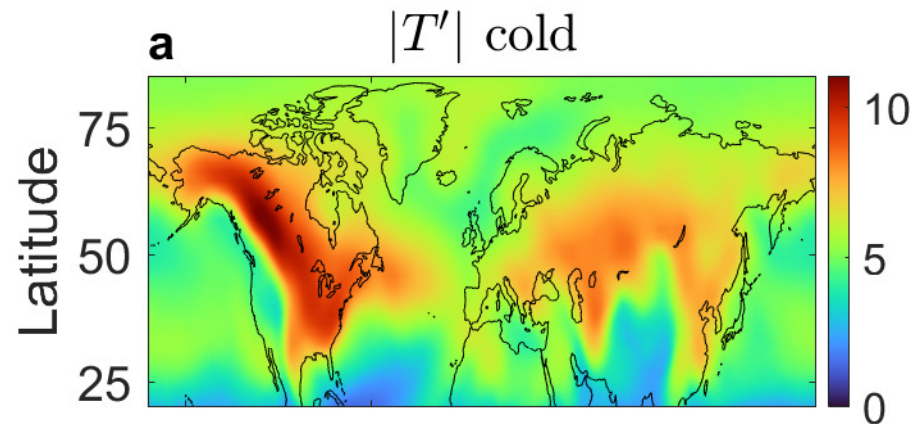
DJF



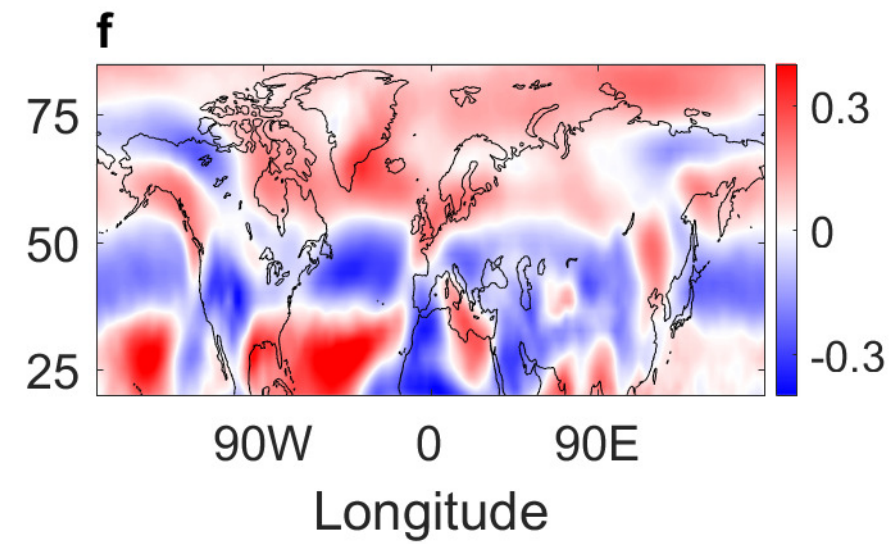
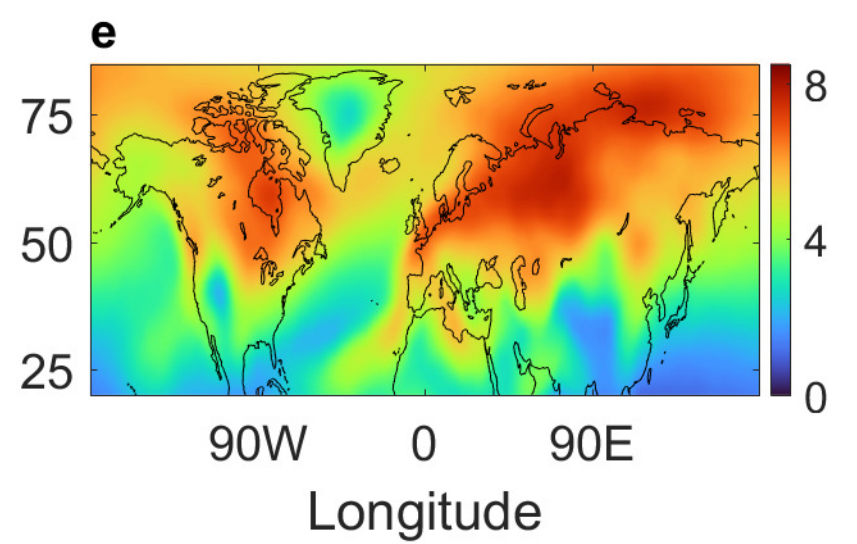
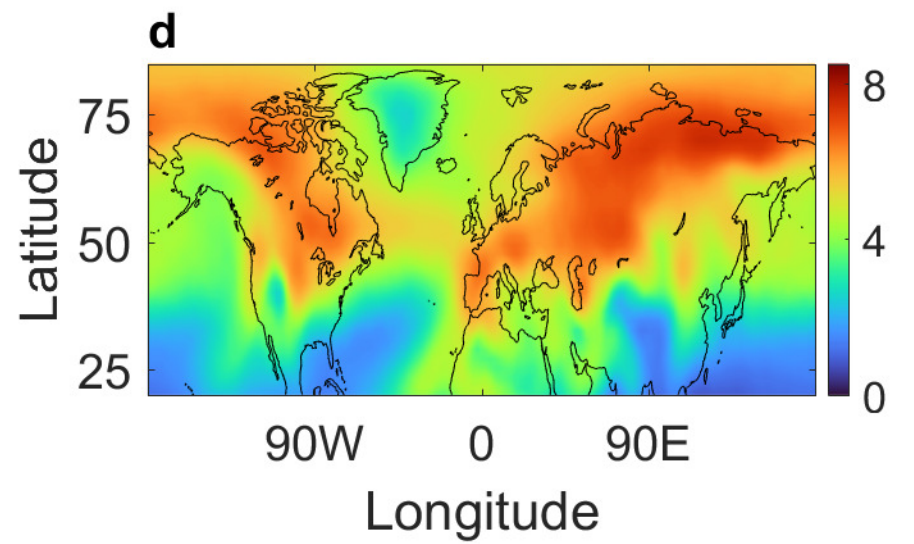
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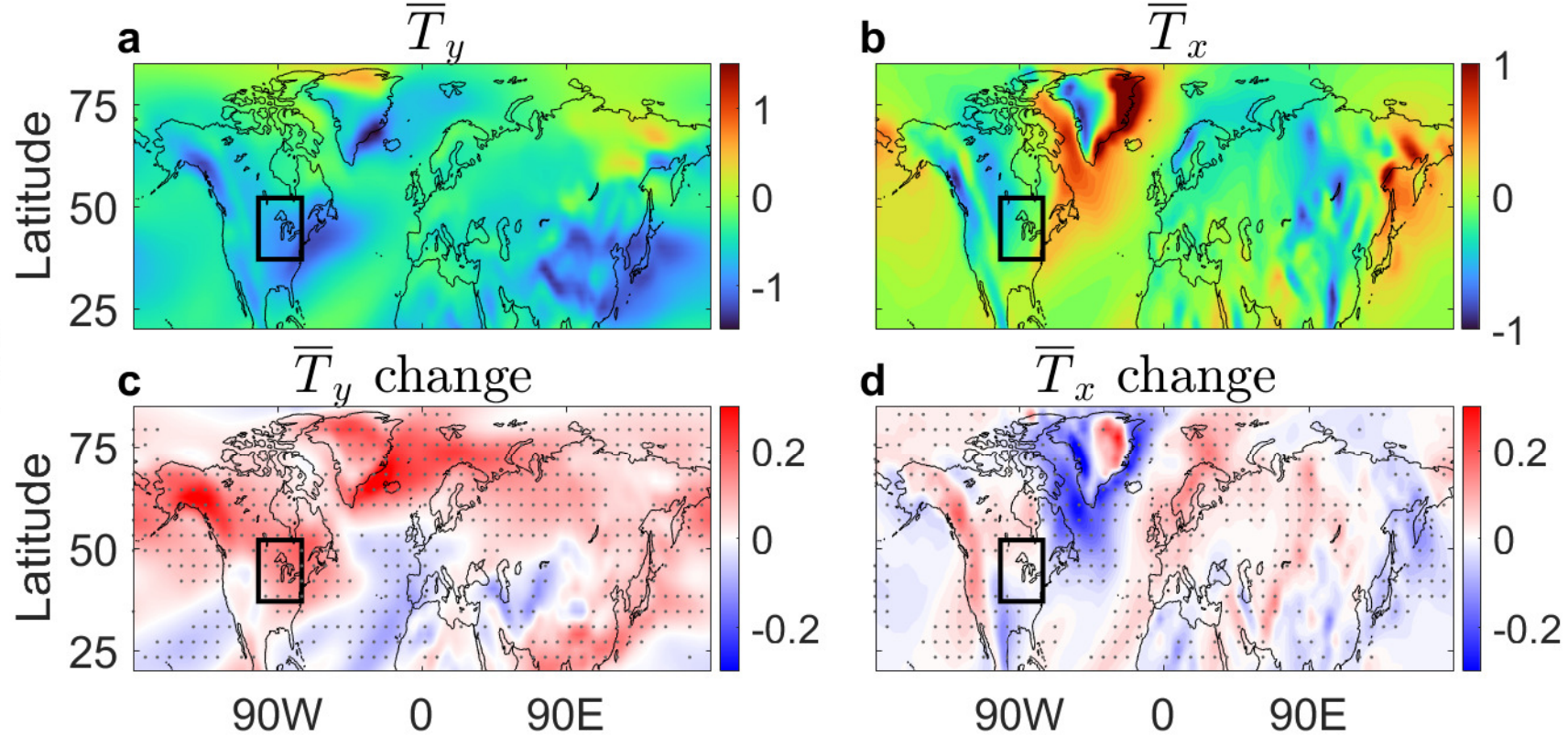
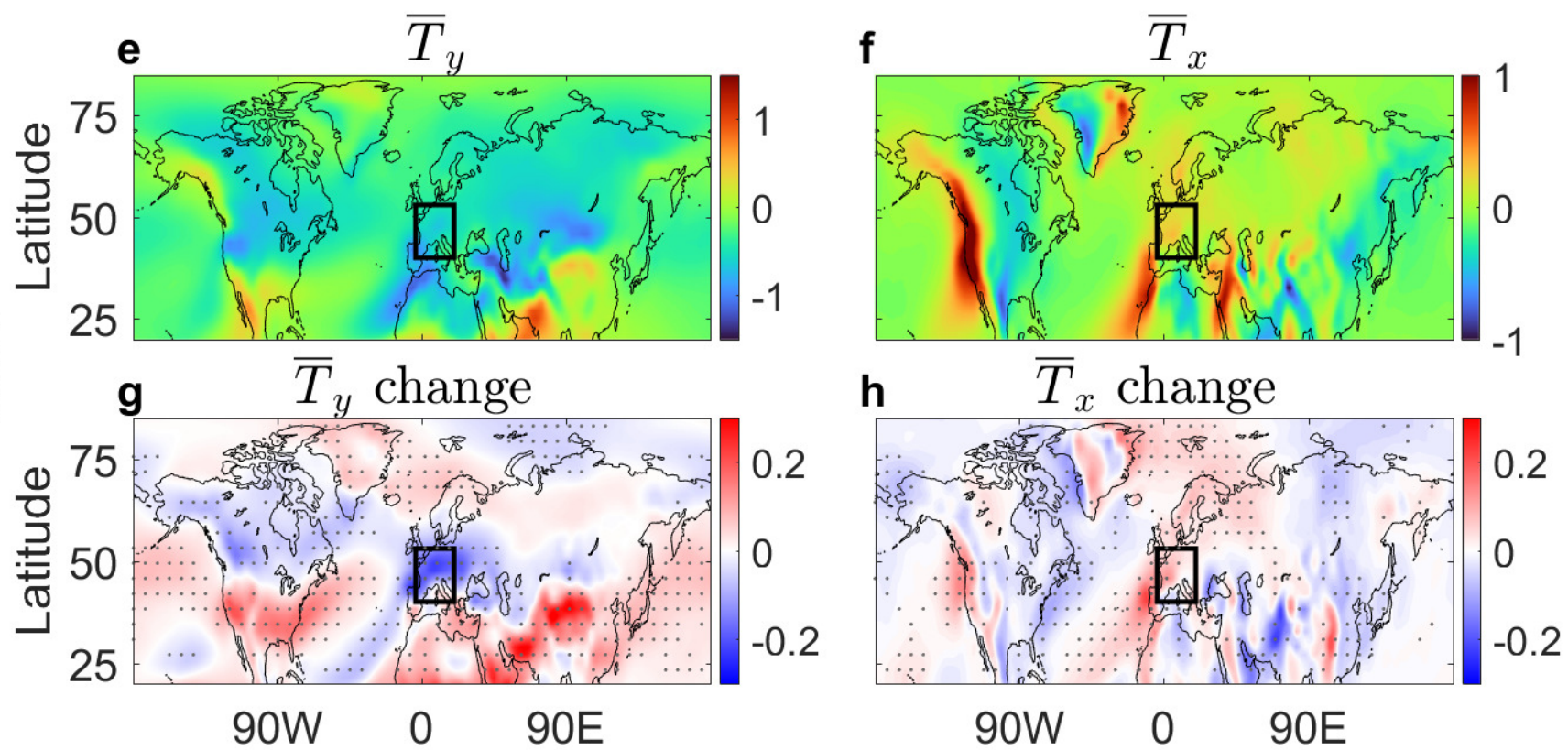


DJF

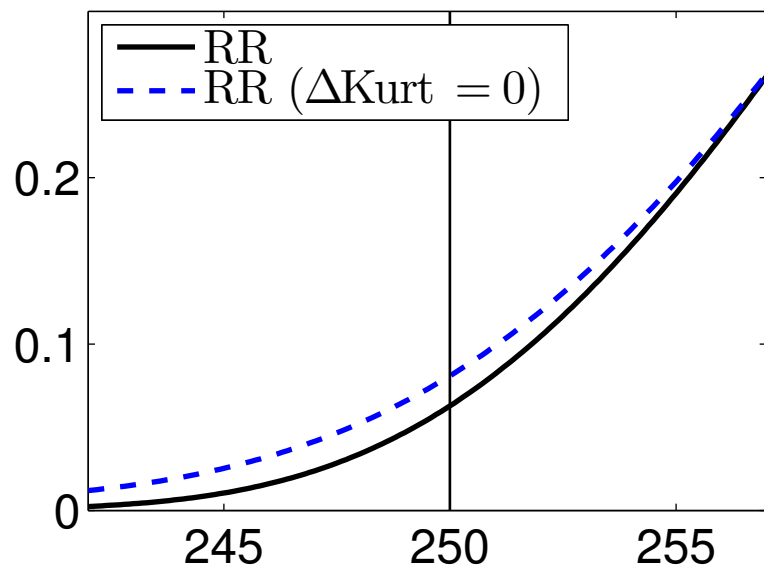


JJA

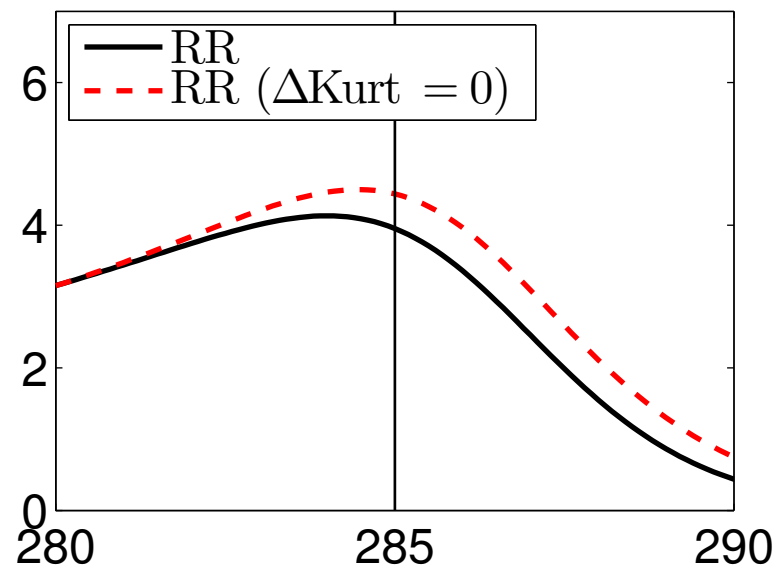


DJF**JJA**

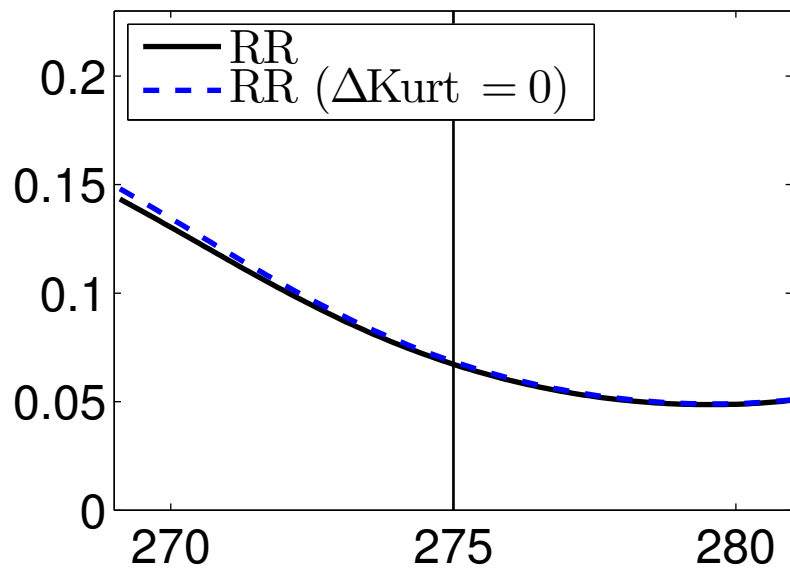
a Risk Ratio (NA_{EC} DJF) cold



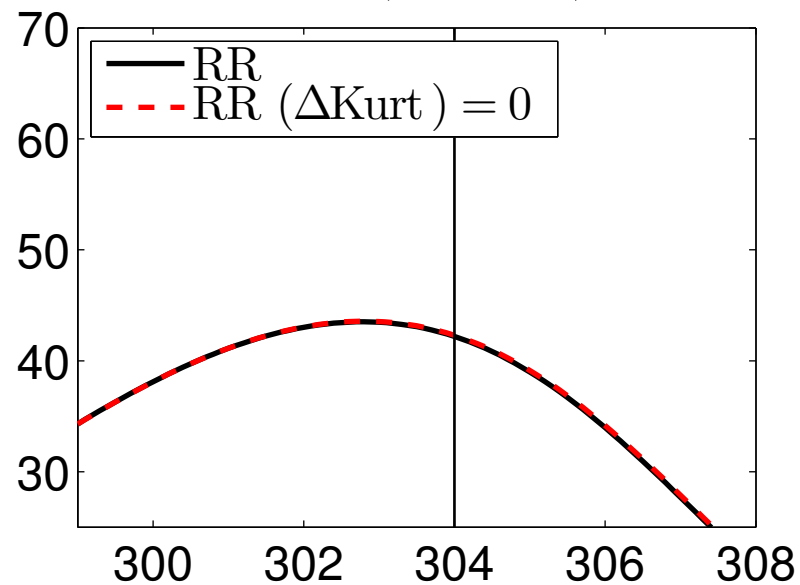
b Risk Ratio (NA_{EC} DJF) warm

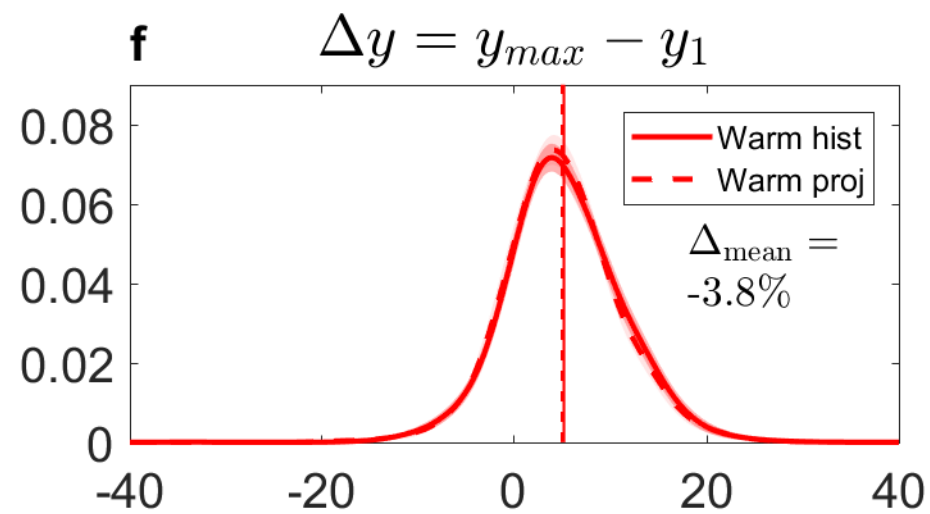
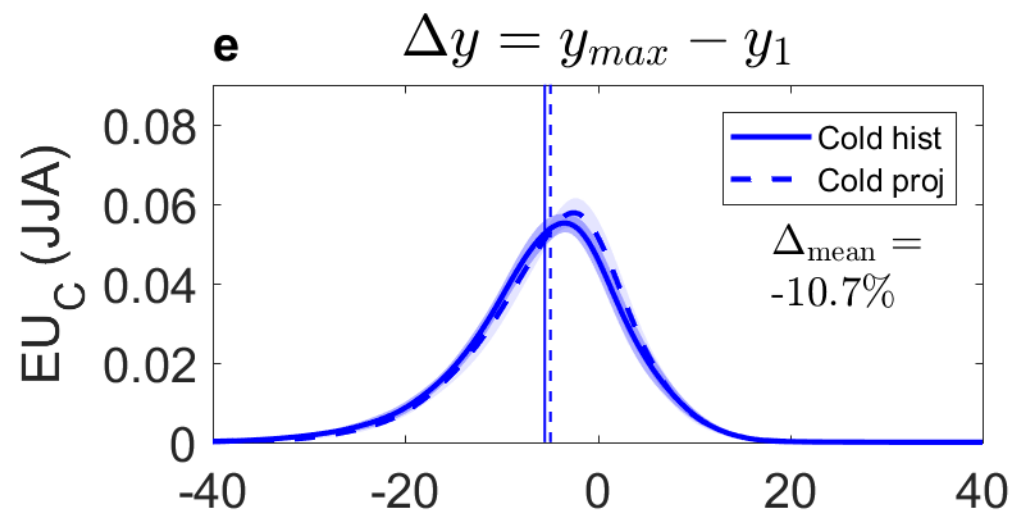
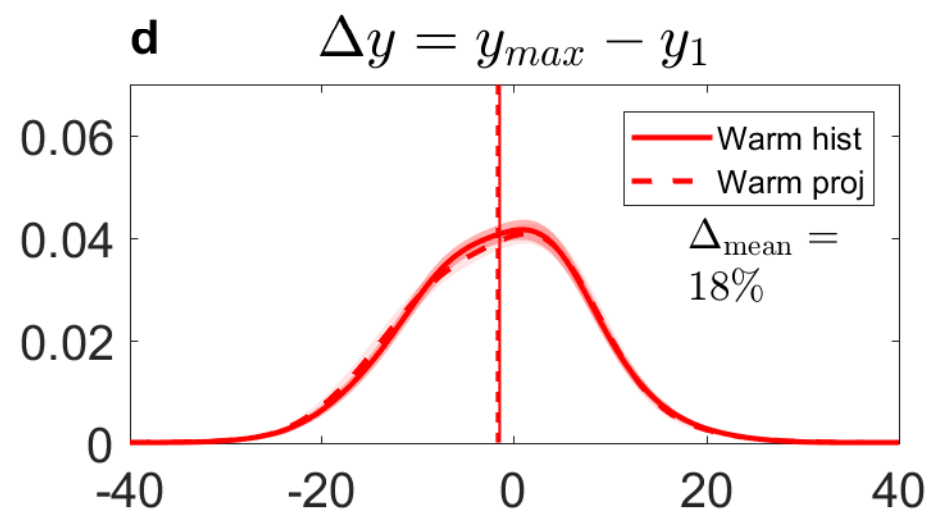
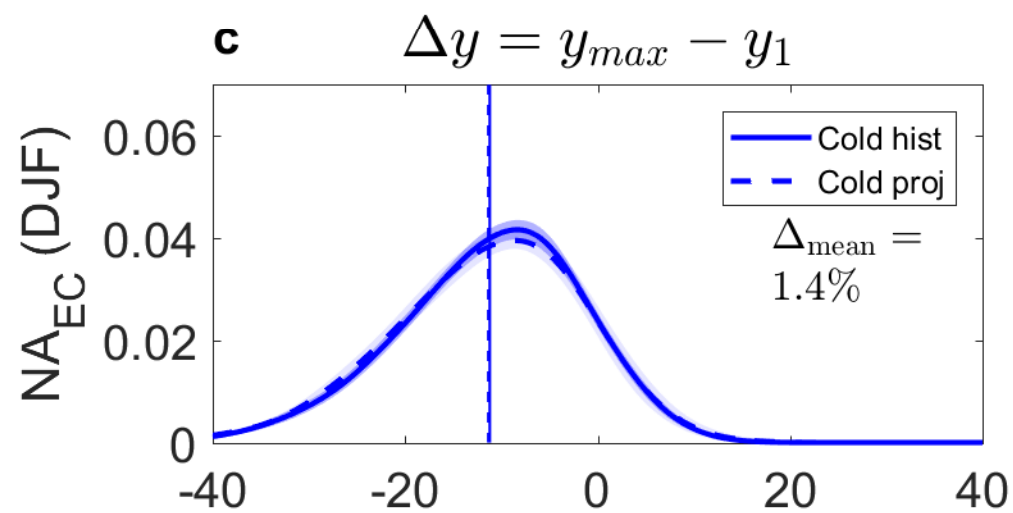
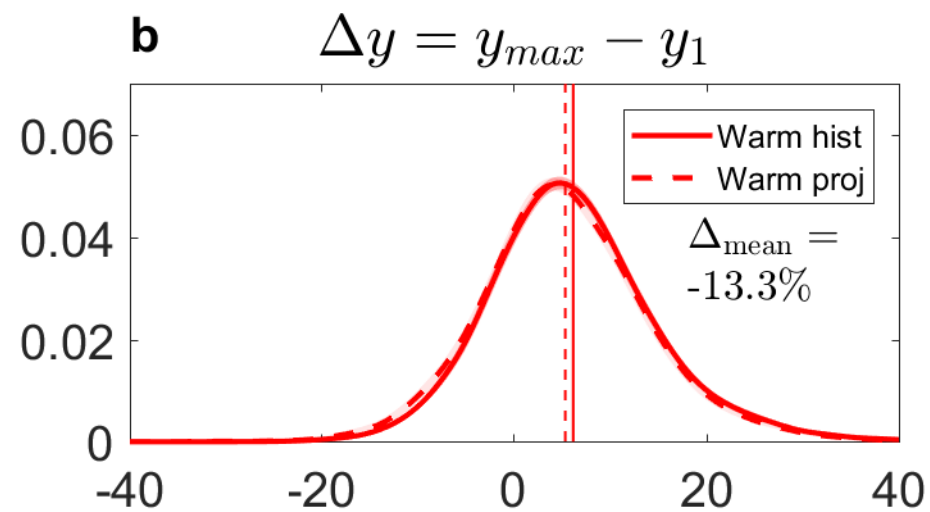
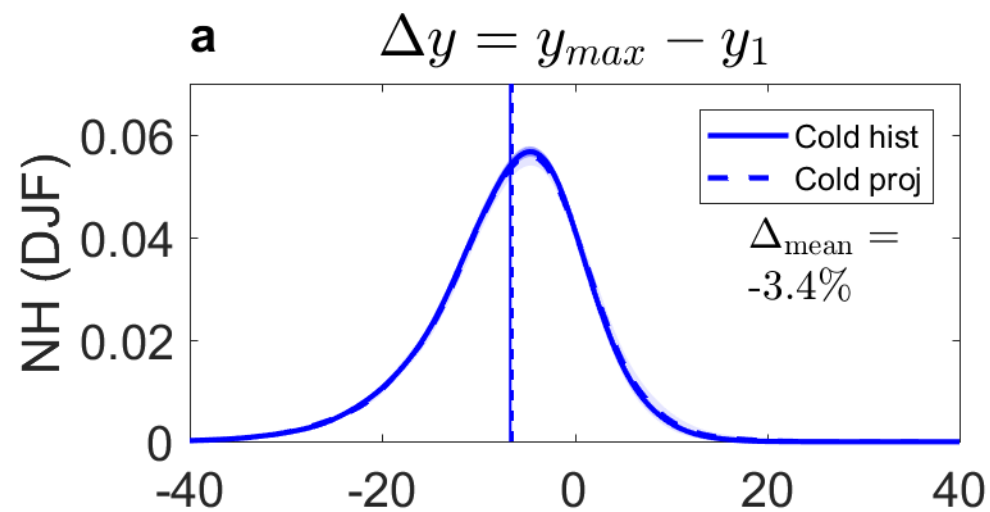


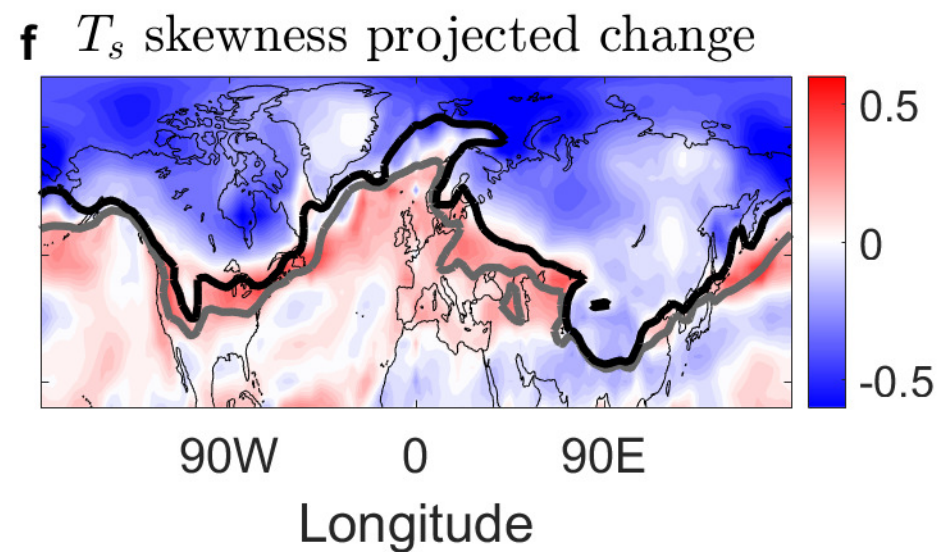
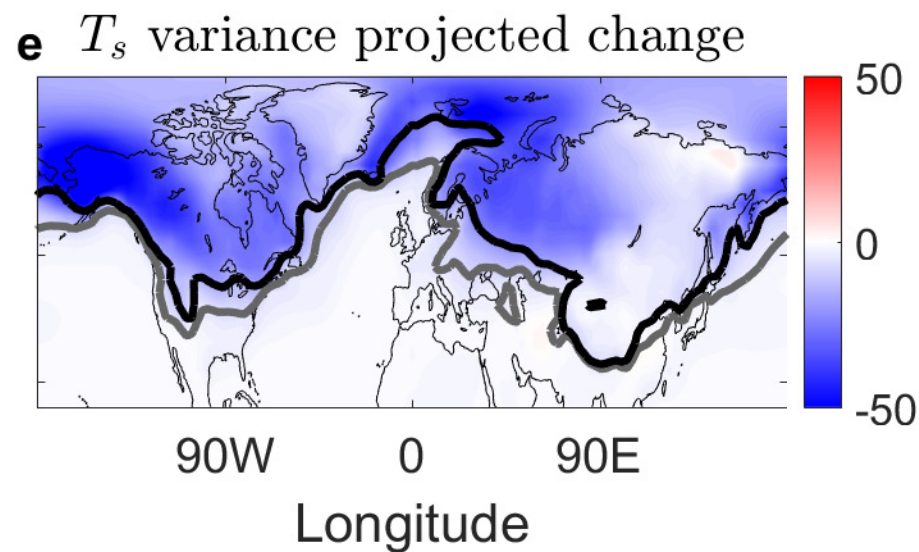
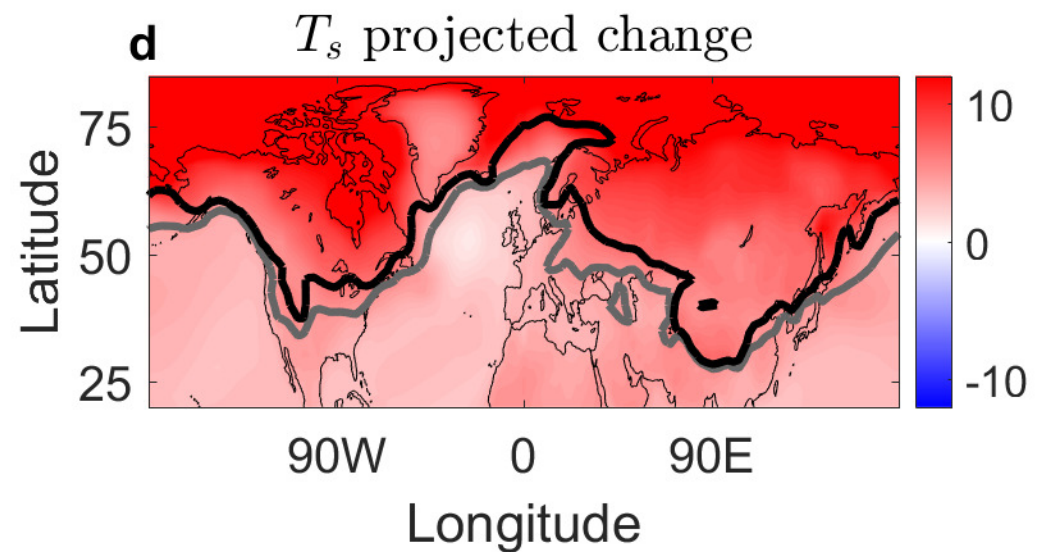
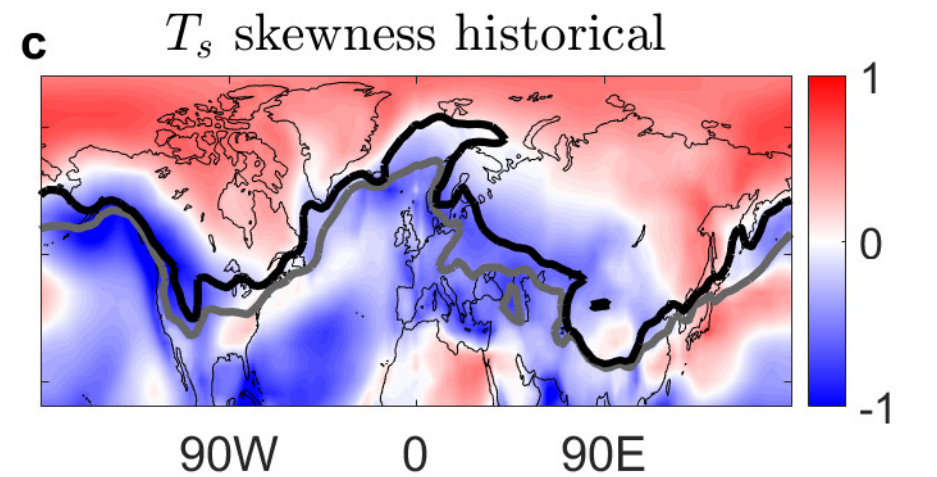
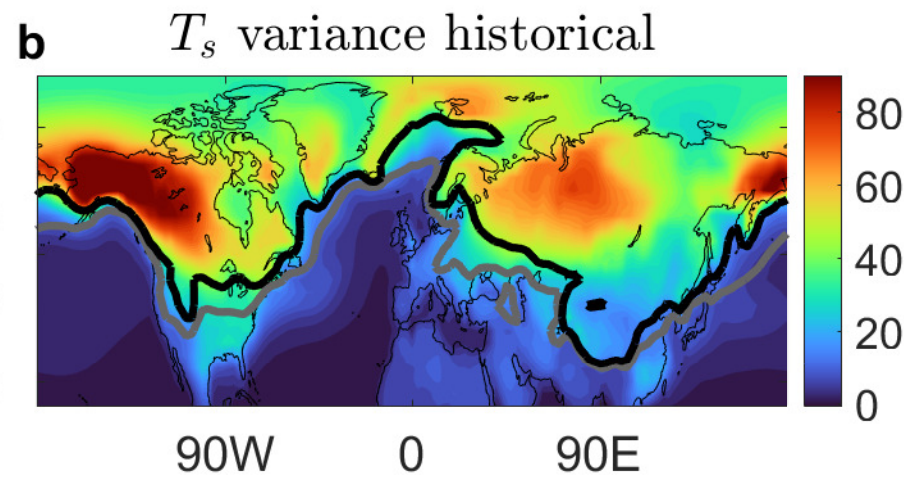
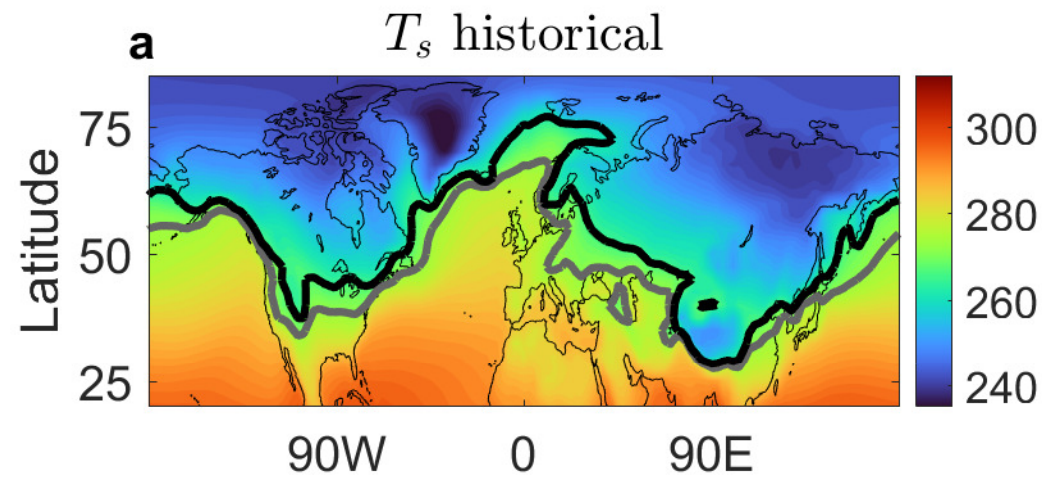
c Risk Ratio (E_{C} JJA) cold



d Risk Ratio (E_{C} JJA) warm







JJA

